

(12) INTERNATIONAL APPLICATION PUBLISHED UNDER THE PATENT COOPERATION TREATY (PCT)

(19) World Intellectual Property Organization
International Bureau(23) International Publication Date
7 June 2001 (07.06.2001)

PCT

(10) International Publication Number
WO 01/41318 A2

(21) International Patent Classification:

H04B

(72) Inventor(s) and

(22) International Application Number:

PCT/KR00/01383

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(23) International Filing Date:

30 November 2000 (30.11.2000)

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(25) Filing Language:

English

(81) Designated States (national): AB, AE, AL, AM, AT, AU, AZ, BA, BB, BG, BR, BY, BZ, CA, CH, CN, CR, CU, CZ, DE, DK, DM, DZ, ER, ES, FI, GB, GD, GE, GH, GM, HR, HU, ID, IL, IN, IS, JP, KE, KG, KP, KZ, LC, LK, LS, LT, LU, LY, MA, MD, MG, MK, MN, MW, MX, MZ, NO, NZ, PL, PT, RO, RU, SD, SE, SG, SI, SK, SL, TI, TM, TR, TT, TZ, UA, UG, UR, UZ, VN, YU, ZA, ZW.

(26) Publication Language:

English

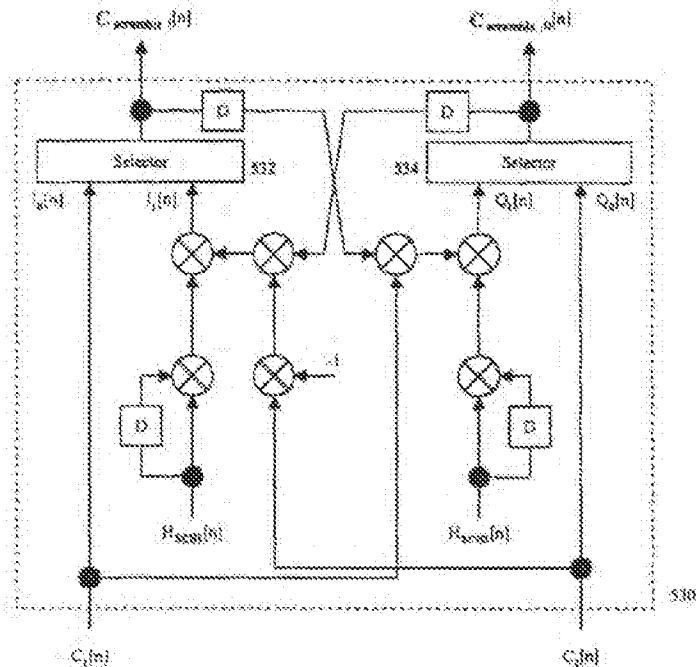
(30) Priority Data:

1999/54963 4 December 1999 (04.12.1999) KR

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[Continued on next page]

(54) TITLE: TRANSMISSION AND RECEIVING USING SPREADING MODULATION FOR SPREAD SPECTRUM COMMUNICATIONS AND THEREOF APPARATUS



(57) Abstract: The present invention is related to a method and an apparatus for the orthogonal complex-domain spreading modulation in CDMA spread spectrum communication system when there are channels with statistically higher transmitting power. In CDMA spread spectrum communication systems with a transmitter and a receiver, the transmitter according to the invention has several channels with different information. Two channels with higher power than the others, which are spread in the conventional scheme, are spread with the orthogonal codes using a complex-domain multiplier. The spread signals are added. Then the signal are scrambled using a complex-domain multiplier with secondary scrambling sequences generated by a special scrambling code generator with primary scrambling sequences as inputs. The receiver does inverse operation of the transmitter.

WO 01/41318 A2



(84) Designated States (*regionally*): ARIPO patent (GU, GM, KE, LS, MW, MZ, SD, SL, SZ, TZ, UG, ZW), Russian patent (AM, AZ, BY, KQ, KZ, MD, RU, TJ, TM), European patent (AT, BE, CH, CY, DE, DK, ES, FI, FR, GB, GR, IE, IT, LU, MC, NL, PT, SE, TR), OAPI patent (BF, BJ, CF, CG, CI, CM, GA, GN, GW, ML, MR, NE, SS, TD, TG).

Published:

— Without international search report and to be republished upon receipt of that report.

For two-letter codes and other abbreviations, refer to the "Guidance Notes on Codes and Abbreviations" appearing at the beginning of each regular issue of the PCT Gazette.

TRANSMISSION AND RECEIVING USING SPREADING
MODULATION FOR SPREAD SPECTRUM COMMUNICATIONS AND
THEREOF APPARATUS

§ TECHNICAL FIELD

This invention is concerned with spreading modulation methods for orthogonal multiple channel transmitters in CDMA (code division multiple access) communication systems. More particularly, it is related to orthogonal complex-domain spreading modulation methods for CDMA communication systems when there are channels with statistically higher transmitting power.

§

BACKGROUND ART

In description of the prior art, the same reference number is used for a component having the same function as that of the present invention. FIG. 1 shows a schematic diagram for a conventional CDMA transmitter with orthogonal multiple channels. The

transmitter in FIG. 1 is based on the cdma2000 system, which is one of the candidates for IMT-2000 (International Mobile Telecommunications-2000) system as a third generation mobile communication systems. The transmitter has 5 orthogonal channels: A Pilot Channel (PICH) used for coherent demodulation; a Dedicated Control Channel (DCCH) for transmitting control information; a Fundamental Channel (FCH) for transmitting low speed data such as voice; and two Supplementary Channels (SCH; SCH1, SCH2) for high-speed data services. Each channel passes through a channel encoder and/or an interleaver (not shown in FIG. 1) according to the required quality of the channel.

Each channel performs the signal conversion process by changing a binary data (0, 1) into {+1, -1}. Even though it is explained with the changed {+1, -1}, our method can be equally applied to the information represented by several bits, for example, (00, 01, 11, 10) is changed into {+3, +1, -1, -3}. The gain for each channel is controlled based on the required quality and transmitting data rate by using

the gain controllers $G_p(110)$, $G_o(112)$, $G_{sz}(114)$, $G_{si}(116)$, and $G_r(118)$. The gain for each channel is determined by a specific reference gain, and the amplifiers (170, 172) control the overall gain. For example, with $G_p = 1$, other gain G_o , G_{sz} , G_{si} , or G_r can be controlled. Gain controlled signal for each channel is spread at the spreader (120, 122, 124, 126, 128) with orthogonal Hadamard code $W_{spreading}[n]$, $W_{ocean}[n]$, $W_{schz}[n]$, $W_{sci}[n]$, or $W_{rec}[n]$, and is delivered to the adder (130, 132).

Hadamard matrix, $H^{(p)}$, comprising the orthogonal Hadamard codes has the following four properties:

(1) The orthogonality is guaranteed between the columns and the rows of an Hadamard matrix.

When

EQUATION 11:

$$H_{spreading}^{(p)} = \begin{bmatrix} h_{0,0} & h_{0,1} & \dots & h_{0,p-1} \\ h_{1,0} & h_{1,1} & \dots & h_{1,p-1} \\ \vdots & \vdots & \ddots & \vdots \\ h_{p-1,0} & h_{p-1,1} & \dots & h_{p-1,p-1} \end{bmatrix}$$

$$\begin{bmatrix} \bar{h}_0 \\ \bar{h}_1 \\ \vdots \\ \bar{h}_{p-1} \end{bmatrix} = \begin{bmatrix} \bar{h}_0^T & \bar{h}_1^T & \cdots & \bar{h}_{p-1}^T \end{bmatrix}$$

and, $\bar{h}_i \in \{+1, -1\}; i_j \in \{0, 1, 2, \dots, p-1\}$

matrix $H^{(p)}$ is a $p \times p$ Hadamard matrix if the following equations hold.

[EQUATION 2]

$$H_{p \times p} H_{p \times p}^T = p I^{(p)}$$

$$\bar{h}_i \cdot \bar{h}_j = p \cdot \delta_{ij}$$

Where $I^{(p)}$ is a $p \times p$ identity matrix,

and δ_{ij} is the Kronecker Delta symbol, which becomes 10 = 1 for $i=j$, and 0 for $i \neq j$.

(2) It is still an Hadamard matrix $H^{(p)}$ even if the order of the columns and the rows of an Hadamard matrix is changed.

(3) The order of Hadamard matrix $H^{(p)}$, p , is 1, is 2, or a multiple number of 4. In other words, $p \in \{1, 2\} \cup \{4n | n \in Z^+\}$, where Z^+ is a set of integers which are greater than 0.

(4) The $m \times m$ matrix $H^{(mn)}$ produced by the Kronecker product (as in EQUATION 3) from a $m \times m$ Hadamard matrix $A^{(m)}$ and a $n \times n$ Hadamard matrix $B^{(n)}$ is

also an Hadamard matrix.

[EQUATION 3]

$$H_{2^n \times 2^n} = A_{2^n \times n} \otimes B_{n \times n}$$

$$\begin{aligned} &= \begin{bmatrix} a_{0,0} & a_{0,1} & \cdots & a_{0,n-1} \\ a_{1,0} & a_{1,1} & \cdots & a_{1,n-1} \\ \vdots & \vdots & \ddots & \vdots \\ a_{n-1,0} & a_{n-1,1} & \cdots & a_{n-1,n-1} \end{bmatrix} \otimes \begin{bmatrix} b_{0,0} & b_{0,1} & \cdots & b_{0,n-1} \\ b_{1,0} & b_{1,1} & \cdots & b_{1,n-1} \\ \vdots & \vdots & \ddots & \vdots \\ b_{n-1,0} & b_{n-1,1} & \cdots & b_{n-1,n-1} \end{bmatrix} \\ &= \begin{bmatrix} b_{0,0}A & b_{0,1}A & \cdots & b_{0,n-1}A \\ b_{1,0}A & b_{1,1}A & \cdots & b_{1,n-1}A \\ \vdots & \vdots & \ddots & \vdots \\ b_{n-1,0}A & b_{n-1,1}A & \cdots & b_{n-1,n-1}A \end{bmatrix} = \begin{bmatrix} h_{0,0} & h_{0,1} & \cdots & h_{0,n-1} \\ h_{1,0} & h_{1,1} & \cdots & h_{1,n-1} \\ \vdots & \vdots & \ddots & \vdots \\ h_{n-1,0} & h_{n-1,1} & \cdots & h_{n-1,n-1} \end{bmatrix} \end{aligned}$$

The present invention describes CDMA systems using the column vectors or row vectors of a $2^n \times 2^n$ Hadamard matrix $H^{(2^n)}$ as orthogonal codes, where the $2^n \times 2^n$ Hadamard matrix $H^{(2^n)}$ is generated from a 2×2 Hadamard matrix as shown in EQUATION 4 ($n = 1, 2, 3, \dots, 8$). In particular, the set of the column vectors or the row vectors of the produced Hadamard matrix is 2^n -dimensional Walsh codes.

[EQUATION 4]

$$H^{(2)} = H_{2 \times 2} = \begin{bmatrix} +1 & +1 \\ +1 & -1 \end{bmatrix} = \begin{bmatrix} W_0^{(2)} \\ W_1^{(2)} \end{bmatrix}$$

$$H^{(4)} = H_{4 \times 4} = H_{2 \times 2} \otimes H_{2 \times 2} = \begin{bmatrix} +1 & +1 & +1 & +1 \\ +1 & -1 & +1 & -1 \\ +1 & +1 & -1 & -1 \\ +1 & -1 & -1 & +1 \end{bmatrix} = \begin{bmatrix} W_0^{(4)} \\ W_1^{(4)} \\ W_2^{(4)} \\ W_3^{(4)} \end{bmatrix}$$

$$H^{(8)} = H_{8 \times 8} = H_{2 \times 2} \otimes H_{4 \times 4} = \begin{bmatrix} +1 & +1 & +1 & +1 & +1 & +1 & +1 & +1 \\ +1 & -1 & +1 & -1 & +1 & -1 & +1 & -1 \\ +1 & +1 & -1 & -1 & +1 & +1 & -1 & -1 \\ +1 & -1 & -1 & +1 & +1 & -1 & -1 & +1 \\ +1 & +1 & +1 & +1 & -1 & -1 & -1 & -1 \\ +1 & -1 & +1 & -1 & -1 & +1 & -1 & +1 \\ +1 & +1 & -1 & -1 & -1 & -1 & +1 & +1 \\ +1 & -1 & -1 & +1 & -1 & +1 & +1 & -1 \end{bmatrix} = \begin{bmatrix} W_0^{(8)} \\ W_1^{(8)} \\ W_2^{(8)} \\ W_3^{(8)} \\ W_4^{(8)} \\ W_5^{(8)} \\ W_6^{(8)} \\ W_7^{(8)} \end{bmatrix}$$

The orthogonal Walsh codes of the above mentioned Hadamard matrix $\mathbf{H}^{(s)}$ have the following property ($p = s = 2^n$):

[EQUATION 5]

$$\begin{aligned} W_i^{(s)} \odot W_j^{(s)} &= (w_{i,0}^{(s)}, w_{i,1}^{(s)}, \dots, w_{i,s-1}^{(s)}) \odot (w_{j,0}^{(s)}, w_{j,1}^{(s)}, \dots, w_{j,s-1}^{(s)}) \\ &= (w_{i,0}^{(s)} w_{j,0}^{(s)}, w_{i,1}^{(s)} w_{j,1}^{(s)}, \dots, w_{i,s-1}^{(s)} w_{j,s-1}^{(s)}) \\ &= (w_{k,0}^{(s)}, w_{k,1}^{(s)}, \dots, w_{k,s-1}^{(s)}) \\ &= W_k^{(s)} \end{aligned}$$

Where $(i, j, k) \in \{0, 1, 2, \dots, 2^n-1\}$. If i, j, k are represented by binary numbers as in EQUATION 6,

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[EQUATION 6]

$$\begin{aligned} i &= (i_{n-1}, i_{n-2}, i_{n-3}, \dots, i_1, i_0)_2, \quad j = (j_{n-1}, j_{n-2}, j_{n-3}, \dots, j_1, j_0)_2, \\ k &= (k_{n-1}, k_{n-2}, k_{n-3}, \dots, k_1, k_0)_2 \end{aligned}$$

the following relation holds among i, j, k :

[EQUATION 7]

$$(k_{s-1}, k_{s-2}, k_{s-3}, \dots, k_1, k_0)_2 = (i_{s-1} \oplus i_{s-2}, i_{s-2} \oplus i_{s-3}, \dots, i_1 \oplus i_0, i_0 \oplus i_s)$$

Here \oplus represents the exclusive OR (XOR) operator.

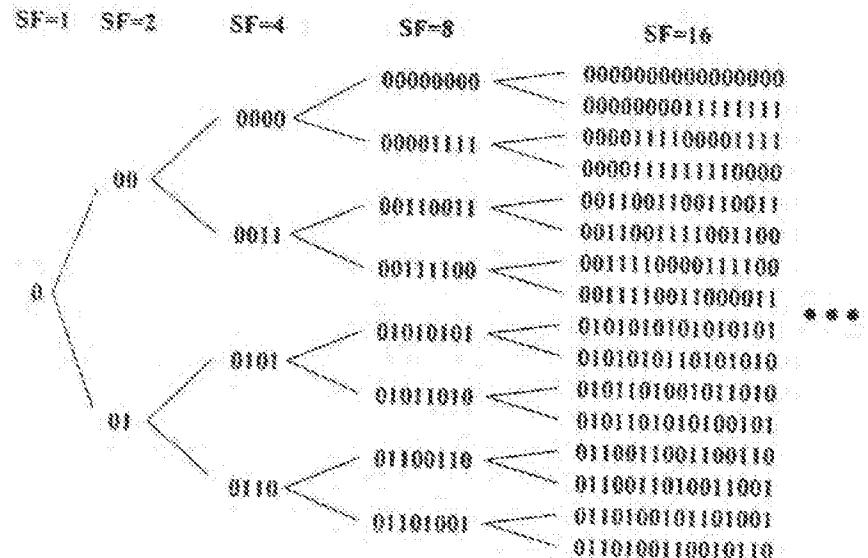
Therefore, $W_i^{(p)}[n] = W_i^{(s)}[n]W_i^{(p)}[n]$ for $i \in \{0, 1, 2, \dots, 2^n - 1\}$, and $W_{2^s}[n] = W_{2^s}^{(p)}[n]W_{2^s}^{(p)}[n]$ for $s \in \{0, 1, 2, \dots, 2^{n-1} - 1\}$.

In order to distinguish the orthogonal multiple channels, the Hadamard matrix $H^{(p)}$ is used, and the order of the Hadamard matrix $H^{(p)}$, $p (= 2^n)$, is the Spreading Factor (SF). In direct sequence spread spectrum communication systems, the spreading bandwidth is fixed, so the transmission chip rate is also fixed. When there are several channels having different data transmission rates with a fixed transmission chip rate, the tree-structured Orthogonal Variable Spreading Factor (OVSF) codes are used (as shown in EQUATION 8) in order to recover the desired channels at the receiving terminal using the orthogonal property of the channels.

The OVSF codes with conversion ("0"~"+1" and

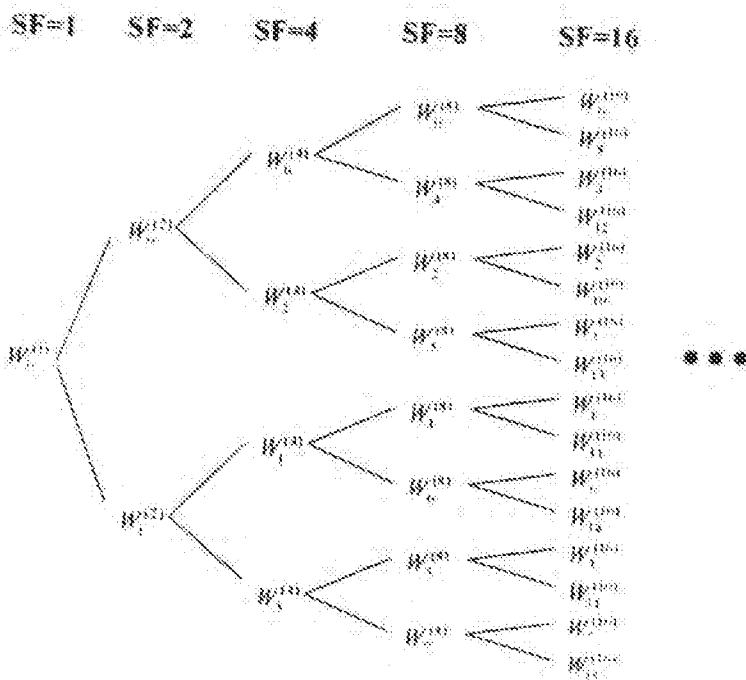
"1", "-1") and orthogonal Walsh functions are shown in EQUATION 8 and EQUATION 9, respectively. An allocation method of the tree-structured OVSF codes with the orthogonal property is shown in the following references: (1) F. Adachi, M. Sawahashi and K. Okawa, "Tree-structured generation of orthogonal spreading codes with different lengths for forward link of DS-CDMA mobile radio," Electronics Letters, Vol. 33, Jan. 1997, pp27-29. (2) US Patent # US5751761, "System and method for orthogonal spread spectrum sequence generation in variable data rate systems".

[EQUATION 8]



The above equation shows the OVSF codes.

[EQUATION 9]



The above equation shows the relation between the

OVSF codes and orthogonal Walsh codes.

The outputs ($x_r[n]$, $y_r[n]$) of the adder (110, 132) in FIG. 1 can be written as the following equations:

[EQUATION 10]

$$\begin{aligned}x_t(n) &= G_p W_{pich}(n) D_{pich}\left[\left\lfloor \frac{n}{SF_{pich}} \right\rfloor\right] + G_d W_{dcch}(n) D_{dcch}\left[\left\lfloor \frac{n}{SF_{dcch}} \right\rfloor\right] \\&\quad + G_u W_{ucch}(n) D_{ucch}\left[\left\lfloor \frac{n}{SF_{ucch}} \right\rfloor\right] \\y_t(n) &= G_f W_{fch}(n) D_{fch}\left[\left\lfloor \frac{n}{SF_{fch}} \right\rfloor\right] + G_s W_{sch1}(n) D_{sch1}\left[\left\lfloor \frac{n}{SF_{sch1}} \right\rfloor\right]\end{aligned}$$

Here, $\lfloor x \rfloor$ is a largest integer not greater than x .

The above mentioned Walsh code $W_{pich}(n)$, $W_{dcch}(n)$, $W_{ucch}(n)$, $W_{sch1}(n)$, and $W_{fch}(n)$ are orthogonal Walsh functions selected from $H^{(SF_{pich})}, H^{(SF_{dcch})}, H^{(SF_{ucch})}, H^{(SF_{sch1})}, H^{(SF_{fch})}$. An allocation method of the orthogonal Walsh functions to each channel with the orthogonal property follows the allocation method of the OVSF codes. SF_{pich} , SF_{dcch} , SF_{ucch} , SF_{sch1} , and SF_{fch} are spreading factors for the corresponding channels.

For simple explanation, assume the transmitting power of SCH1 and SCH2 is assumed to be statistically greater than the power of PICH, DCCH, and FCH. (This assumption does not change the present invention.) In other words, it is assumed the relation $G_{sch1} > G_p + G_d + G_f$ and $G_{sch2} > G_p + G_d + G_f$ holds statistically. The above assumptions hold in two cases: In the first case, the transmission data rate

for the supplementary channel (SCH1, SCH2) is greater than that of other channels (FICH, DCCH, FCR), and the required quality such as the signal-to-noise ratio (SNR) for each channel is comparable.

6. In the second case, the transmission data rates are comparable, and the required quality is more restricted. If there are only two channels available in a transmitter, the assumptions hold, and the two channels are allocated to SCH1 and SCH2. When the 16 assumptions hold, EQUATION 10 can be approximated as EQUATION 11.

[EQUATION 11]

$$\begin{aligned} x_r[n] &= G_S W_{SCM}[n] D_{SCM} \left[\left| \frac{x_r}{SF_{SCM}} \right| \right] \\ y_r[n] &= G_S W_{SCM}[n] D_{SCM} \left[\left| \frac{y_r}{SF_{SCM}} \right| \right] \end{aligned}$$

The spreading modulation takes place at the 18 Spreading Modulator (140) with the first inputs ($x_r[n]$, $y_r[n]$) and the second inputs, PN (Pseudo-Noise) sequences ($C_1[n]$, $C_2[n]$), and the outputs ($I_r[n]$, $Q_r[n]$) are produced. The peak transmission power to the average power ratio (PAR: Peak-to-20 Average Ratio) can be improved according to the

structure of the Spreading Modulator (140) and the method how to generate the scrambling codes ($C_{\text{scramble}, i[n]}$, $c[n]$) from the inputs of the two PN sequences ($C_1[n]$, $C_2[n]$). Conventional embodiments for the Spreading Modulator (140) are shown in FIG. 3a ~ 3d. The outputs ($I_r[n]$, $Q_r[n]$) of the Spreading Modulator (140) pass through the low-pass-filters (160, 162) and the power amplifiers (170, 172). Then the amplified outputs are delivered to the modulators (180, 182) which modulate the signals into the desired frequency band using carrier. And the modulated signals are added by the adder (190), and delivered to an antenna.

FIG. 2 shows a schematic diagram for a receiver according to the transmitter of FIG. 1. The received signals passed through an antenna are demodulated at the demodulators (280, 282) with the same carrier used at the transmitter, and $I_k[n]$ and $Q_k[n]$ are generated after passing through the low-pass filters (260, 262). Then, the spreading demodulator (240) generates the signals ($x_r[n]$, $y_s[n]$) with two PN sequences ($C_1[n]$, $C_2[n]$).

In order to pick up the desired channels, i.e., DCCH, FCH, SCH#1, SCH#2, among the received code division multiplexed signals ($x_s[n]$, $y_s[n]$), the signals are multiplied by the same orthogonal code $w_{xxch}[n]$ (where, $xxch = DCCH$ or FCH) or $w_{yych}[n]$ (where, $yych = SCH1$ or $SCH2$) used at the transmitter, at the de-spreaders (224, 226, 228, 227). Now, the signals are integrated during the symbol period (T_{x_s} or T_{y_s}) proportional to the data rate of the corresponding channel. Since, the signals at the receiver are distorted, PICH is used to correct the distorted signal phase. Therefore, the signals ($x_s[n]$, $y_s[n]$) are multiplied by the corresponding orthogonal code $w_{pich}[n]$, and are integrated during the period of T_i at the integrators (210, 212).

When the PICH includes additional information such as a control command to control the transmitting power at the receiver, besides the pilot signals for the phase correction, the additional information is extracted by the demultiplexer, and the phase is estimate and corrected using the part of the pilot signals with the known

phase. However, it is assumed that the PICH does not include any additional information for simplicity. The phase corrections are performed at the second (kind) complex-domain multipliers (242, 246) using the estimated phase information through the integrators (210, 212). After selecting the output port according to the desired channel (DCCH, FCH, SCH1, or SCH2) at the second complex-domain multipliers (242, 246), the receiver recovers the transmitted data through the de-interleaver and/or the channel decoder (not shown in FIG. 2).

The first (143) and the second complex-domain multiplier (243 or 246) execute the following function.

18 [EQUATION 12]

Operations for the first complex-domain multipliers (143, 145);

$$O_I[n] + jO_Q[n] = (x_I[n] + jx_Q[n])(y_I[n] + jy_Q[n])$$

$$O_I[n] = x_I[n]y_I[n] - x_Q[n]y_Q[n]$$

$$O_Q[n] = x_I[n]y_Q[n] + x_Q[n]y_I[n]$$

Operations for the second complex-domain multipliers

20 (242, 243, 245, 246);

$$O_i[n] + jO_d[n] = (x_i[n] + jx_d[n])(y_i[n] - jy_d[n])$$

$$O_i[n] = x_i[n]y_i[n] + x_d[n]y_d[n]$$

$$O_d[n] = -x_i[n]y_d[n] + x_d[n]y_i[n]$$

FIG. 7a and FIG. 7b show signal constellation diagrams. In FIG. 7a, a square represents the input ($x_i[n] + jx_d[n]$) of the first complex-domain multiplier, and a circle shows a normalized output ($O_i[n] + jO_d[n]$) of the first complex-domain multiplier. FIG. 7b shows four transitions (0, $\pm\pi/2$, $-\pi/2$, π) of the first complex-domain multiplier input ($x_i[n] + jx_d[n]$) according to the time flow. The PAR characteristic becomes worse at the origin-crossing transition (or π -transition) in FIG. 7b.

FIG. 3a shows the schematic diagram for a conventional spreading modulator. This spreading modulation method is used in the forward link (from a base station to its mobile station) for a CDMA system of IS-95 method. This spreading modulation is called the QPSK (Quadrature Phase Shift Keying) spreading modulation.

[EQUATION 13]

$$I_r(n) = x_r(n) C_{\text{scramble},r}(n)$$

$$Q_r(n) = y_r(n) C_{\text{scramble},r}(n)$$

The outputs ($C_{\text{scramble},1}(n)$, $C_{\text{scramble},2}(n)$) of the secondary scrambling code generator shown in FIG. 4a are given by EQUATION 14. In other words, the secondary scrambling codes are the same as the primary scrambling codes.

[EQUATION 14]

$$C_{\text{scramble},1}(n) = C_1(n)$$

$$C_{\text{scramble},2}(n) = C_2(n)$$

In the IS-95 system, $x_r(n) = y_r(n)$, but generally $x_r(n) \neq y_r(n)$ in the QPSK spreading modulation. For $|I_r(n)|=|Q_r(n)|=1$ based on the normalization, the possible transitions of the signal constellation point occurring in the QPSK spreading modulation are shown in EQUATION 15. The probability for $\{0, +\pi/2, -\pi/2, \pi\}$ transition is equally 1/4 for each transition.

[EQUATION 15]

$$\arg\left(\frac{I_r(n+1)+jQ_r(n+1)}{I_r(n)+jQ_r(n)}\right) \in \left[0, +\frac{\pi}{2}, -\frac{\pi}{2}, \pi\right]$$

FIG. 8a shows the transitions of the signal constellation point for the QPSK spreading modulation when $I_r(n) = \pm 1$, $Q_r(n) = \pm 1$, and SF=4.

For $n \equiv 0 \pmod{SF}$, $(I_r(n), Q_r(n))$ becomes one of $(+1, +1)$, $(+1, -1)$, $(-1, -1)$, $(-1, +1)$ with an equal probability of $1/4$. The transition is assumed to start at $(+1, +1)$. There is no change in the signal constellation diagram at a chip time of $n+1/2$. At a chip time of $n+1$, $(I_r(n), Q_r(n))$ transits to one of $(+1, +1)$, $(+1, -1)$, $(-1, -1)$, $(-1, +1)$ with an equal probability of $1/4$. FIG. 8a shows the case of $(+1, -1)$ transition.

There is no change in the signal constellation diagram at a chip time of $n+3/2$. At a chip time of $n+2$, $(I_r(n), Q_r(n))$ transits to one of $(+1, +1)$, $(+1, -1)$, $(-1, -1)$, $(-1, +1)$ with an equal probability of $1/4$. FIG. 8a shows the case of $(-1, +1)$ transition. The PAR characteristic becomes worse in this case due to an origin crossing transition (π -transition).

There is no change in the signal constellation diagram at a chip time of $n+5/2$. At a chip time of $n+3$, $(I_r[n], Q_r[n])$ transits to one of $(+1, +1)$, $(+1, -1)$, $(-1, -1)$, $(-1, +1)$ with an equal probability of $1/4$. FIG. 8a shows the case of $(-1, -1)$ transition.

There is no change in the signal constellation diagram at a chip time of $n+7/2$. At a chip time of $n+4$, $(I_r[n], Q_r[n])$ transits to one of $(+1, +1)$, $(+1, -1)$, $(-1, +1)$, $(-1, -1)$ with an equal probability of $1/4$. The above transition process is repeated according to the probability.

FIG. 3b shows a schematic diagram for another conventional spreading modulator. This spreading modulation method is used in the reverse link (from a mobile station to its base station) for the IS-95 CDMA system. This spreading modulation is called the OQPSK (Offset QPSK) spreading modulation, and the output signals are governed by EQUATION 16.

[EQUATION 16]

$$I_r[n] = x_r[n] C_{\text{spread}} / \sqrt{n}$$

$$Q_r[n] = y_r[n - \frac{1}{2}] C_{\text{spread}} \phi\left(n - \frac{1}{2}\right)$$

The outputs ($C_{\text{scramble}, i}(n)$, $C_{\text{scramble}, q}(n)$) of the secondary scrambling code generator in FIG. 4a are given by EQUATION 17. In other words, the secondary scrambling codes are the same as the primary scrambling codes, as in the previous QPSK spreading modulation.

[EQUATION 17]

$$C_{\text{scramble}, i}(n) = C_i(n)$$

$$C_{\text{scramble}, q}(n) = C_q(n)$$

Generally $x_p(n) \neq y_p(n)$ in CQPSK spreading modulation. For $|I_p(n)|=|Q_p(n)|=1$, based on the normalization, the possible transitions of the signal constellation point occurring in the QPSK spreading modulation are shown in EQUATION 18. The probabilities for $\{0, +\pi/2, -\pi/2, \pi\}$ transitions are $1/2, 1/4, 1/4, 0$, respectively.

[EQUATION 18]

$$\arg\left(\frac{I_p(n+1/2)+jQ_p(n+1/2)}{I_p(n)+jQ_p(n)}\right) \in \left\{0, +\frac{\pi}{2}, -\frac{\pi}{2}\right\}$$

$$\arg\left(\frac{I_p(n+1)+jQ_p(n+1)}{I_p(n+1/2)+jQ_p(n+1/2)}\right) \in \left\{0, +\frac{\pi}{2}, -\frac{\pi}{2}\right\}$$

In CQPSK spreading modulation shown in FIG. 3b, the signal of the orthogonal phase channel (Q^+

channel) is delayed by a half chip ($T_c/2$) relative to the signal of the in-phase channel (I-channel) in order to improve the PAR characteristic of QPSK spreading modulation in FIG. 3a. Due to a half chip ($T_c/2$) delay, the codes of the I-channel and Q-channel signals cannot be changed simultaneously. Thus, the π -transition crossing the origin is prohibited, and the PAR characteristic is improved.

FIG. 8b shows the transitions of the signal constellation point for the OQPSK spreading modulation when $I_r[n] = \pm 1$, $Q_r[n] = \pm 1$, and $SF=4$. For $n \equiv 0 \bmod SF$, $(I_r[n], Q_r[n])$ becomes one of $(+1, +1)$, $(+1, -1)$, $(-1, +1)$, $(-1, -1)$ with an equal probability of $1/4$. The transition is assumed to start at $(+1, +1)$. At a chip time of $n+1/2$, $(I_r[n], Q_r[n])$ transits to either $(+1, +1)$ or $(+1, -1)$ with an equal probability of $1/2$. FIG. 8b shows the case of $(+1, +1)$ transition. At a chip time of $n+1$, $(I_r[n], Q_r[n])$ transits to either $(+1, +1)$ or $(-1, +1)$ with an equal probability of $1/2$. FIG. 8b shows the case of $(+1, +1)$ transition. At a chip time of $n+3/2$, $(I_r[n], Q_r[n])$ transits to either $(+1, +1)$ or

(+1, -1) with an equal probability of 1/2. FIG. 8b shows the case of (+1, -1) transition: At a chip time of $n+2$, $(I_r(n), Q_r(n))$ transits to either (+1, -1) or (-1, -1) with an equal probability of 1/2. FIG. 8b shows the case of (-1, -1) transition: At a chip time of $n+5/2$, $(I_r(n), Q_r(n))$ transits to either (-1, -1) or (-1, +1) with an equal probability of 1/2. FIG. 8b shows the case of (-1, +1) transition: At a chip time of $n+3$, $(I_r(n), Q_r(n))$ transits to either (+1, +1) or (-1, +1) with an equal probability of 1/2. FIG. 8b shows the case of (-1, +1) transition: At a chip time of $n+7/2$, $(I_r(n), Q_r(n))$ transits to either (-1, +1) or (-1, -1) with an equal probability of 1/2. FIG. 8b shows the case of (-1, -1) transition: At a chip time of $n+4$, $(I_r(n), Q_r(n))$ transits to either (+1, -1) or (-1, -1) with an equal probability of 1/2. The above transition process is repeated according to the probability.

20 FIG. 3c shows a schematic diagram for another conventional spreading modulator. This spreading modulation method is subdivided into three methods

according to the scrambling code generator (150).

The first method is used in the forward link (from a base station to its mobile station) for a W-CDMA (Wideband CDMA) system as another candidate for cdma2000 or IMT-2000 system. This spreading modulation is called the CQPSK (Complex QPSK) spreading modulation, and the output signals are governed by EQUATION 19.

[EQUATION 19]

$$\begin{aligned} I_R(n) + jQ_R(n) &= (x_R(n) + jy_R(n)) \left\{ \sqrt{\frac{1}{2}} (C_{\text{scramble}, R}(n) + jC_{\text{scramble}, I}(n)) \right\} \\ I_R(n) &= \sqrt{\frac{1}{2}} x_R(n) C_{\text{scramble}, I}(n) - \sqrt{\frac{1}{2}} y_R(n) C_{\text{scramble}, R}(n) \\ Q_R(n) &= \sqrt{\frac{1}{2}} x_R(n) C_{\text{scramble}, R}(n) + \sqrt{\frac{1}{2}} y_R(n) C_{\text{scramble}, I}(n). \end{aligned}$$

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The outputs ($C_{\text{scramble}, I}(n)$, $x_R(n)$, $C_{\text{scramble}, R}(n)$) of the secondary scrambling code generator in FIG. 4a are given by EQUATION 20. In other words, the secondary scrambling codes are the same as the primary scrambling codes, as described in the previous QPSK and CQPSK spreading modulation.

[EQUATION 20]

$$C_{\text{scramble}, I}(n) = C_I(n)$$

$$C_{\text{scramble}, R}(n) = C_R(n)$$

Generally $x_r[n] = y_r[n]$ in CQPSK spreading modulation. For $|I_r[n]|=|Q_r[n]|=1$ based on the normalization, the possible transitions of the signal constellation point occurring in the CQPSK spreading modulation are shown in EQUATION 21. The probability for $(0, +\pi/2, -\pi/2, \pi)$ transition is equally 1/4 for each transition.

(EQUATION 21)

$$\arg\left(\frac{I_r[n+1]+jQ_r[n+1]}{I_r[n]+jQ_r[n]}\right) \in \left\{0, +\frac{\pi}{2}, -\frac{\pi}{2}, \pi\right\}$$

(6) The previous OQPSK method is effective when the I-channel and Q-channel powers are the same as in IS-95 reverse link channels. But the Q-channel signal should be delayed by a half chip, and the amplitude of the transmitting power for I-channel is different from that for Q-channel in the case of FIG. 1 when several channels with different transmitting powers are using orthogonal channels. The linear range of the amplifier should be selected based upon the largest transmitting signal power in order to reduce the neighboring channel interference from the signal distortion and the inter-modulation.

On the other hand, in CQPSK spreading modulation, I-channel signal ($x_r(n)$) and Q-channel signal ($y_r(n)$) are multiplied in complex-domain by the secondary scrambling codes, $C_{scramble,I}(n)$ and $C_{scramble,Q}(n)$ of the same amplitude. Therefore, the smaller of signal power level of the two (I and Q) become large, and the larger of signal power level of the two becomes small; the two signal power levels are equalized statistically. The CQPSK spreading modulation is more effective to improve the PAR characteristic when there are multiple channels with different power levels. In the CQPSK spreading modulation, $x_r(n)+jy_r(n)$ makes an origin-crossing transition (π-transition) with a probability of 1/4.

FIG. 8c shows the transitions of the signal constellation point for the CQPSK spreading modulation when $x_r(n) = \pm 1$, $y_r(n) = \pm 1$, $I_r(n) = \pm 1$, $Q_r(n) = \pm 1$, and SF=4. For $n \equiv 0 \pmod{SF}$, $x_r(n)+jy_r(n)$ and $C_{scramble,I}(n)+jC_{scramble,Q}(n)$ become one of $1+j$, $1-j$, $-1-j$, $-1+j$ with an equal probability of 1/4, and it is assumed that $x_r(n)+jy_r(n)=1+j$.

$C_{scramble,i}(n) + jC_{scramble,q}(n) = 1+j\sqrt{2}$, in other words, in this case, $I_r(n) + jQ_r(n) = 0 + j\sqrt{2}$. And this equation becomes $I_s(n) + jQ_s(n) = 0 + j1$ due to the normalization. There is no change in the signal constellation diagram at a chip time of $n+1/2$. At a chip time of $n+1$, $x_r(n) + jy_r(n)$ transits to one of $1+j$, $1-j$, $-1-j$, and $-1+j$, and $C_{scramble,i}(n) + jC_{scramble,q}(n)$ also transits to one of $1+j$, $1-j$, $-1-j$, and $-1+j$.

The second method is used in the reverse link (from a mobile station to its base station) for a G-CDMA (Global-CDMA) I and II systems as another candidate for IMT-2000 system proposed at International Telecommunications Union (ITU, <http://www.itu.int>) in June 1998. This spreading modulation is called the OCQPSK (Orthogonal Complex QPSK) spreading modulation referring to Korean Patent No. 10-269593-0000. The following relations hold when only an even number is assigned to the subscript of the orthogonal Walsh code for each channel.

[EQUATION 22]

$$x_r(2n) \approx x_r(2n+1)$$

$$y_r(2n) \approx y_r(2n+1)$$

$$I_r(n) + jQ_r(n) = (x_r(n) + jy_r(n)) \left[\sqrt{\frac{1}{2}} (C_{\text{scramble},l}(n) + jC_{\text{scramble},q}(n)) \right]$$

$$I_r(n) = \sqrt{\frac{1}{2}} x_r(n) C_{\text{scramble},l}(n) - \sqrt{\frac{1}{2}} y_r(n) C_{\text{scramble},q}(n)$$

$$Q_r(n) = \sqrt{\frac{1}{2}} x_r(n) C_{\text{scramble},q}(n) + \sqrt{\frac{1}{2}} y_r(n) C_{\text{scramble},l}(n)$$

The outputs ($C_{\text{scramble},l}(n)$, $C_{\text{scramble},q}(n)$) of the secondary scrambling code generator in FIG. 4b are given by EQUATION 23. Since $W_p^{(p)}(n)=1$, the secondary scrambling code generators in FIG. 4b and FIG. 4c are the same for $k=0$.

[EQUATION 23]

$$C_{\text{scramble},l}(n) + jC_{\text{scramble},q}(n) = C_l(n) (W_{kp}^{(p)}(n) + jW_{kp+1}^{(p)}(n))$$

$$C_{\text{scramble},l}(n) = C_l(n) W_{kp}^{(p)}(n)$$

$$C_{\text{scramble},q}(n) = C_l(n) W_{kp+1}^{(p)}(n)$$

Where p is a power of 2 (i.e., $p = 2^n$), and

$$k \in \{0, 1, 2, \dots, \frac{p}{2} - 1\}$$

Generally $x_r(n) \neq y_r(n)$ in OCQPSK spreading modulation, for $|I_r(n)|^2 + |Q_r(n)|^2 = 1$ based on the normalization, the possible transitions of the

signal constellation point occurring in the OCQPSK spreading modulation are shown in EQUATION 24. The probabilities for $\{0, +\pi/2, -\pi/2, \pi\}$ transitions are 0, $1/2$, $1/2$, and 0 for $n=2t+1$ (odd number), and $1/4$, $1/4$, $1/4$, and $1/4$ in case of $n=2t$ (even number) for each transition, respectively.

[EQUATION 24]

$$\begin{aligned}
 & \frac{I_T[n+1] + jQ_T[n+1]}{I_T[n] + jQ_T[n]} \\
 &= \frac{(x_T[n+1] + jy_T[n+1])(C_{symmetric}[n+1] + jC_{symmetric}[n+1])}{(x_T[n] + jy_T[n])(C_{symmetric}[n] + jC_{symmetric}[n])} \\
 &= \frac{x_T[n+1] + jy_T[n+1]}{x_T[n] + jy_T[n]} \cdot \frac{C_1[n+1](W_{2k}^{(p)}[n+1] + jW_{2k+1}^{(p)}[n+1])}{C_1[n](W_{2k}^{(p)}[n] + jW_{2k+1}^{(p)}[n])} \\
 & \quad \arg \left\{ \frac{I_T[2t+1] + jQ_T[2t+1]}{I_T[2t] + jQ_T[2t]} \right\} \in \left\{ +\frac{\pi}{2}, -\frac{\pi}{2} \right\} \\
 & \quad \arg \left\{ \frac{I_T[2t+2] + jQ_T[2t+2]}{I_T[2t+1] + jQ_T[2t+1]} \right\} \in \left\{ 0, +\frac{\pi}{2}, -\frac{\pi}{2}, \pi \right\}
 \end{aligned}$$

In the OCQPSK spreading modulation, the following properties are used:

For $W_{2k}^{(p)}[n]$, $k \in \{0, 1, 2, \dots, \frac{P}{2}-1\}$; $W_{2k}^{(p)}[2t] = W_{2k}^{(p)}[2t+1]$, $t \in \{0, 1, 2, \dots\}$.

And for $W_{2k+1}^{(p)}[n]$, $k \in \{0, 1, 2, \dots, \frac{P}{2}-1\}$; $W_{2k+1}^{(p)}[2t] = -$

$$W_{2k+1}(n)(2t+i), \quad i \in \{0, 1, 2, \dots\}.$$

The orthogonal Walsh codes with even number subscripts are used for the channel identification except for the case when the orthogonal Walsh codes with odd number subscripts must be used for the channel identification due to the high transmitting data rate. Because $x_r(2t) = x_r(2t+1)$, $y_r(2t) = y_r(2t+1)$, $t \in \{0, 1, 2, \dots\}$, the following approximation holds as described in EQUATION 25.

(16) [EQUATION 25]

$$x_r(n) + jy_r(n) \approx G_s W_{SCM}(n) D_{SCM} \left[\left| \frac{x_r}{SF_{SCM}} \right| \right] + jG_s W_{SCM}(n) D_{SCM} \left[\left| \frac{y_r}{SF_{SCM}} \right| \right]$$

In the OCQPSK spreading modulation, avoiding the origin crossing transition (π -transition) which makes worse the PAR characteristic for $n=2t+1$, the PAR characteristic of the spreading signals is improved compared to the CQPSK spreading modulation. At $n=2t$, $x_r(n) + jy_r(n)$ makes an origin crossing transition (π -transition) with a probability of 1/4 as in the CQPSK spreading modulation, while, at $n=2t+1$, the corresponding probability is zero. Therefore, the average probability for the origin

crossing transition (π -transition) decreases to 1/8 from 1/4. $C_{i[n]}$ for the scrambling in FIG. 4b is also used in identifying the transmitter.

The third method is used in the reverse link (from a mobile station to its base station) for a WCDMA system as another candidate for cdma2000 and IMT-2000 system. This spreading modulation is POCQPSK (Permuted Orthogonal Complex QPSK) spreading modulation referring to Korean Patent NO. 10-269593-0000. The following relations hold when only an even number is assigned to the subscript of the orthogonal Walsh code for each channel:

[EQUATION 26]

$$\begin{aligned}x_T[2n] &\approx x_T[2n+1] \\y_T[2n] &\approx y_T[2n+1] \\I_T[n] + jQ_T[n] &= (x_T[n] + jy_T[n]) \left\{ \frac{1}{\sqrt{2}} (C_{\text{scramble},1}[n] + jC_{\text{scramble},0}[n]) \right\} \\I_T[n] &= \frac{1}{\sqrt{2}} x_T[n] C_{\text{scramble},1}[n] - \frac{1}{\sqrt{2}} y_T[n] C_{\text{scramble},0}[n] \\Q_T[n] &= \frac{1}{\sqrt{2}} x_T[n] C_{\text{scramble},0}[n] + \frac{1}{\sqrt{2}} y_T[n] C_{\text{scramble},1}[n]\end{aligned}$$

The outputs ($C_{\text{scramble},1}[n]$, $C_{\text{scramble},0}[n]$) of the secondary scrambling code generator in FIG. 4d are given by EQUATION 27.

[EQUATION 27]

$$\begin{aligned} C_{\text{symbol},k}(n) + jC_{\text{symbol},q}(n) &= C_1(n)(W_{jk}^p(n) + jC_2(n)W_{jk+1}^q(n)) \\ C_{\text{symbol},k}(n) &= C_1(n)W_{jk}^p(n) \\ C_{\text{symbol},q}(n) &= C_1(n)C_2(n)W_{jk+1}^q(n) \\ C_2(2t) &= C_2(2t+1) = C_2(2t), \quad t \in \{0, 1, 2, \dots\} \end{aligned}$$

Generally $x_T(n) \neq y_T(n)$ in POCQPSK spreading modulation. For $|I_T(n)| = |Q_T(n)| = 1$ based on the normalization, the possible transitions of the signal constellation point occurring in the POCQPSK spreading modulation are shown in EQUATION 28. The probabilities for $\{0, +\pi/2, -\pi/2, \pi\}$ transition is 0, 1/2, 1/2, and 0 for $n=2t+1$ (odd number), and 1/4, 0, 1/4, 1/4, and 1/4 in case of $n=2t$ (even number) for each transition, respectively.

[EQUATION 28]

$$\begin{aligned}
& \frac{I_r[2t+1] + jQ_r[2t+1]}{I_r[2t] + jQ_r[2t]} \\
&= \frac{x_r[2t+1] + jy_r[2t+1]}{x_r[2t] + jy_r[2t]} \cdot \frac{C_{\text{random}}[2t+1] + jC_{\text{unrandom}}[2t+1]}{C_{\text{random}}[2t] + jC_{\text{unrandom}}[2t]} \\
&= \frac{C_r[2t+1]}{C_r[2t]} \cdot \frac{W_r^{\text{sp}}[2t+1] + jC_s[2t+1]W_{r+1}^{\text{sp}}[2t+1]}{W_r^{\text{sp}}[2t] + jC_s[2t]W_{r+1}^{\text{sp}}[2t]} \\
&= \frac{C_r[2t+1]}{C_r[2t]} \cdot \frac{1 + jC_s[2t]W_r^{\text{sp}}[2t]}{1 + jC_s[2t]W_{r+1}^{\text{sp}}[2t]} \\
&\quad \arg \left(\frac{I_r[2t+1] + jQ_r[2t+1]}{I_r[2t] + jQ_r[2t]} \right) \in \left\{ +\frac{\pi}{2}, -\frac{\pi}{2} \right\} \\
& \frac{I_r[2t+2] + jQ_r[2t+2]}{I_r[2t+1] + jQ_r[2t+1]} \\
&= \frac{(x_r[2t+2] + jy_r[2t+2])(C_{\text{random}}[2t+2] + jC_{\text{unrandom}}[2t+2])}{(x_r[2t+1] + jy_r[2t+1])(C_{\text{random}}[2t+1] + jC_{\text{unrandom}}[2t+1])} \\
&= \frac{x_r[2t+2] + jy_r[2t+2]}{x_r[2t+1] + jy_r[2t+1]} \cdot \frac{W_r^{\text{sp}}[2t+2]}{W_r^{\text{sp}}[2t+1]} \cdot \frac{C_r[2t+2]}{C_r[2t+1]} \cdot \frac{1 + jC_s[2t+2]W_r^{\text{sp}}[2t+2]}{1 + jC_s[2t+1]W_r^{\text{sp}}[2t+1]} \\
&\quad \arg \left(\frac{I_r[2t+2] + jQ_r[2t+2]}{I_r[2t+1] + jQ_r[2t+1]} \right) \in \left\{ 0, +\frac{\pi}{2}, -\frac{\pi}{2}, \pi \right\}
\end{aligned}$$

The POCQPSK spreading modulation is basically the same as the OCQPSK spreading modulation. Therefore, at $n=2t$, $x_r[n]+jy_r[n]$ makes an origin crossing transition (π -transition) with a probability of 1/4 as described in the CQPSK spreading modulation, while, at $n=2t+1$, the corresponding probability is zero. $C_s(n)$ decimated from $C_s[n]$ is used in order to compensate for the lack of the randomness due to a periodic repetition of the orthogonal Walsh functions. The decimation should be made with the following properties:

For $i \in \{0, 1, 2, \dots\}$, and $k \in \{0, 1, 2, \dots, \frac{P}{2} - 1\}$,

$$\begin{aligned} W_{2k+1}^{(p)}[2t] &= -W_{2k+1}^{(p)}[2t+1], \text{ and } C_2[2t] \cdot W_{2k+1}^{(p)}[2t] \\ &= -C_2[2t+1] \cdot W_{2k+1}^{(p)}[2t+1]. \end{aligned}$$

Even though $C_2[n]$ is decimated to 2:1 in the above case, $2^d:1$ decimation for $d \in \{1, 2, 3, \dots\}$ is also possible. When $2^d = \max\{SF_{\text{price}}, SF_{\text{seen}}, SF_{\text{seen}}, SF_{\text{seen}}, SF_{\text{rcv}}\}$, the randomness of the POCQPSK is the same as that of the OCQPSK, and the randomness becomes high for 2:1 decimation with $d=1$. $C_1[n]$ and $C_2[n]$ for the scrambling to obtain the better spectrum characteristic are also used to identify the transmitter through the auto-correlation and the cross-correlation. The number of identifiable transmitters increases when both of $C_1[n]$ and $C_2[n]$ are used as the scrambling codes.

FIG. 9 and FIG. 10 show schematic diagrams for a transmitter and a receiver using the POCQPSK spreading modulation. FIG. 9 shows a schematic diagram for the transmitter based on the cdma2000 system, which is one of the candidates for IMT-2000 system as a third generation mobile communication

system. The transmitter has five orthogonal channels: PICH, DCCH, FCH, SCH1, and SCH2. Each channel performs the signal conversion process by changing a binary data {0, 1} into {+1, -1}.

The gain controlled signal for each channel is spread at the spreader (120, 122, 124, 126, 128) with the orthogonal OVSF code $W_{\text{PICH}}[n]$, $W_{\text{DCCH}}[n]$, $W_{\text{FCH}}[n]$, or $W_{\text{SCH}}[n]$, and is delivered to the adder (130, 132). The spreading modulation takes place at the Spreading Modulator (140) with the first inputs ($x_r[n]$, $y_r[n]$) and the second inputs (the primary scrambling codes; $C_1[n]$ and $C_2[n]$), and the outputs ($I_r[n]$, $Q_r[n]$) are generated. The spreading modulator (140) comprises the scrambling code generator (510) and the first complex-domain multiplier (143). The scrambling code generator (510) produces the secondary scrambling codes ($C_{\text{scramble}, r}[n]$, $C_{\text{scramble}, g}[n]$) with the primary scrambling codes ($C_1[n]$, $C_2[n]$) as the inputs to improve the PAR characteristic. The first complex-domain multiplier (143) takes $x_r[n]$ and $y_r[n]$ as inputs and the secondary scrambling codes ($C_{\text{scramble}, r}[n]$,

$r[n]$, $C_{scramble, i}[n]$) as another inputs.

The primary scrambling codes ($C_1[n]$, $C_2[n]$) in the cdma2000 system is produced by the primary scrambling code generator (550) using three PN sequences ($PN_1[n]$, $PN_2[n]$, $PN_{long}[n]$) as shown in FIG. 5a with the following equation:

[EQUATION 29]

$$C_1[n] = PN_1[n] PN_{long}[n]$$

$$C_2[n] = PN_2[n] PN_{long}[n-1]$$

The secondary scrambling codes ($C_{scramble, i}[n]$,

$i \in [0, 1, 2, \dots]$, $C_{scramble, 2}[n]$) are given by the following equation:

[EQUATION 30]

$$C_{scramble, 1}[n] = C_1[n] W_0^{t, 0}[n] = C_1[n]$$

$$C_{scramble, 2}[n] = C_1[n] C_2[n] W_1^{t, 0}[n]$$

$$C_2[2t] = C_2[2t+1] = C_2[2t], \quad t \in [0, 1, 2, \dots]$$

The outputs ($I_r[n]$, $Q_r[n]$) of the Spreading Modulator (140) pass through the low-pass filters (160, 162) and power amplifiers (170, 172). Then the amplified outputs are delivered to the modulators (180, 182) which modulate the signals into the desired frequency band using a carrier. And the

modulated signals are added by the adder (190), and delivered to an antenna.

FIG. 10 shows a schematic diagram for a receiver according to the transmitter of FIG. 9. The received signals through an antenna are demodulated at the demodulators (280, 282) with the same carrier used at the transmitter, and $I_R[n]$ and $Q_R[n]$ are generated after the signals pass through the low-pass filters (260, 262). Then, the spreading demodulator (240) produces the signals ($x_R[n]$, $y_R[n]$) with the primary scrambling codes ($C_1[n]$, $C_2[n]$). The spreading demodulator (240) comprises the scrambling code generator (510) and the second complex-domain multiplier (243). The scrambling code generator (510) produces the secondary scrambling codes ($C_{\text{scramble}, r[n]}$, $C_{\text{scramble}, q[n]}$) with the primary scrambling codes ($C_1[n]$, $C_2[n]$) as the inputs to improve the PAR characteristic. The second complex-domain multiplier (243) in the spreading demodulator (240) takes the $I_R[n]$, $Q_R[n]$ as the first inputs and the secondary scrambling codes ($C_{\text{scramble}, r[n]}$, $C_{\text{scramble}, q[n]}$) as the second inputs. The first and

secondary scrambling codes are generated by the same method as in the transmitter.

In order to select the desired channels among the outputs $(x_k(n), y_k(n))$ of the spreading demodulator (240), the signals are multiplied by the same orthogonal code $w_{xxCH}(n)$ (where, $xxCH = DCCH$ or FCH) or $w_{yyCH}(n)$ (where, $yyCH = SCH1$ or $SCH2$) used at the transmitter, at the despreaders (224, 226, 225, 227). Then, the signals are integrated during the symbol period T_{ik} or T_{jk} . Since the signals at the receiver are distorted, PICH is used to correct the distorted signal phase. Therefore, the signals $(x_k[n], y_k[n])$ are multiplied by the corresponding orthogonal code $w_{xkCH}[n]$, and are integrated during the period of T_i at the integrators (210, 212).

The reverse link PICH in the cdma2000 system may include additional information such as a control command to control the transmitting power at the receiver, besides the pilot signals for the phase correction. In this case, the additional information is extracted by the de-multiplexer, and the phase is estimated using the part of the pilot signals having

the known phase. The phase corrections are performed at the second (kind) complex-domain multipliers (242, 246) shown in the left of FIG. 10 using the estimated phase information through the integrators (210, 212).

However, the conventional CDMA systems have two problems: The first problem is that the strict condition for the linearity of the power amplifier is required. The second problem is when there are several transmitting channels, the signal distortion and the neighboring frequency interference should be reduced. Therefore, the expensive power amplifiers with the better linear characteristic are required.

15. DISCLOSURE OF THE INVENTION

The object of this invention is to provide a method and an apparatus for the spreading modulation method in CDMA spread spectrum communication systems to solve the above mentioned problems. In the spreading modulation method according to this invention, the probability for the spread signals

($x_r[n] + jy_r[n]$) to make the origin crossing transition (π -transition) becomes zero not only at $n=2t+1$, $t \in \{0, 1, 2, \dots\}$ as in cases of the OCQPSK and POCQPSK spreading modulation but also at $n=2t$ only except for the time $n \equiv 0 \pmod{\min\{SF_{r1c1}, SF_{r2c1}, SF_{r3c2}, SF_{r4c2}, SF_{r5c1}, SF_{r6c2}\}}$ when the spread transmitting data vary. Therefore, the PAR characteristic is improved by using the proposed spreading modulation scheme. In other words, this invention provides a method and an apparatus for the spreading modulation method with improved PAR characteristic in CDMA spread spectrum communication systems.

In accordance with an aspect of this invention an apparatus and a method for spreading modulation are invented in CDMA systems with a transmitter and receivers.

The transmitter according to the proposed invention has several channels with different information. Each channel spreads with the orthogonal codes using a complex-domain multiplier in addition to the conventional spreaders, and the spread signals are added. Then the signals are

scrambled with the PN sequences, are modulated with a carrier, and are delivered to an antenna.

The receiver according to the invention demodulates the received signals with the same carrier used in the transmitter. The demodulated mixed signals are de-scrambled with the same synchronized PN sequences, and the de-scrambled signals are de-spread with the same synchronized orthogonal codes using a complex-domain multiplier in addition to the conventional de-spreaders. Then the desired information is recovered at the receiver with the conventional signal processing.

In a preferred embodiment, the transmitter according to the invention has an additional complex-domain multiplier and a special scrambling code generator. The probability for the spread signals ($x_{\tau}[n] + jy_{\tau}[n]$) to make the origin crossing transition (π -transition) becomes zero not only for $n=2t+1$, $t \in \{0, 1, 2, \dots\}$ but also for $n=2t$ only except for the time $n \equiv 0 \pmod{\min\{SF_{\text{scch}}, SF_{\text{ccch}}, SF_{\text{scs2}}, SF_{\text{scs1}}, SF_{\text{rsc}}\}}$ when the spread transmitting data vary.

BRIEF DESCRIPTION OF THE DRAWINGS

Exemplary embodiments of the present invention will be described in conjunction with the drawings in which:

FIG. 1 shows a schematic diagram for a conventional CDMA transmitter with orthogonal multiple channels;

FIG. 2 shows a schematic diagram for a receiver according to the transmitter of FIG. 1;

FIG. 3a shows a schematic diagram for a conventional QPSK spreading modulator;

FIG. 3b shows a schematic diagram for a conventional OQPSK spreading modulator;

FIG. 3c shows a schematic diagram for a conventional CQPSK, OCQPSK, POCQPSK spreading modulator and for a spreading modulator according to the present invention;

FIG. 3d shows another schematic diagram for a conventional OCQPSK, POCQPSK spreading modulator;

FIG. 4a shows a schematic diagram for the scrambling code generator in the QPSK, OQPSK, CQPSK

spreading modulation;

FIG. 4b shows a schematic diagram for the scrambling code generator in the OCQPSK spreading modulation;

FIG. 4c shows another schematic diagram for the scrambling code generator in the OCQPSK spreading modulation;

FIG. 4d shows a schematic diagram for the scrambling code generator in the POCQPSK spreading modulation;

FIG. 5a shows schematic diagrams for the first and secondary scrambling code generators in the cdma2000 modulation;

FIG. 5b shows a general diagram for the secondary scrambling code generator in FIG. 5a;

FIG. 6a shows a schematic diagram for a conventional CQPSK, OCQPSK, POCQPSK spreading demodulator and for a spreading demodulator according to the present invention;

FIG. 6b shows a schematic diagram for a conventional OCQPSK, POCQPSK spreading demodulator;

FIG. 7a shows a signal constellation diagram

and transitions;

FIG. 7b shows four possible transitions of a signal constellation point;

FIG. 8a shows the transitions of a signal constellation point for the QPSK spreading modulation;

FIG. 8b shows the transitions of a signal constellation point for the OQPSK spreading modulation;

FIG. 8c shows the transitions of a signal constellation point for the CQPSK spreading modulation;

FIG. 9 shows a schematic diagram for a cdms2000 transmitter;

FIG. 10 shows a schematic diagram for a cdms2000 receiver according to the transmitter of FIG. 9;

FIG. 11a shows a schematic diagram for a transmitter according to the present invention;

FIG. 11b shows a schematic diagram for the scrambling code generator in the DCQPSK spreading modulation according to the present invention; and

FIG. 12 shows a schematic diagram for a receiver according to the transmitter of FIG. 11a.

<Explanations for main symbols in the drawings>

- 110, 112, 114, 116, 118: gain controller
- 120, 122, 124, 126, 128: spreader
- 130, 132: adder
- 140, 141: spreading modulator
- 143, 145: first (kind) complex(-domain) multiplier
- 150, 151: scrambling code generator
- 160, 162: low-pass filter (LPF)
- 170, 172: power amplifier
- 180, 182: modulator
- 190: adder
- 210, 212, 214, 215, 216, 217: integrator
- 220, 222, 224, 226, 225, 227: de-spreader
- 240, 241: spreading demodulator
- 242, 243, 245, 246: second (kind) complex(-domain) multiplier
- 260, 262: low-pass filter
- 280, 282: demodulator
- 510, 520, 530, 550: scrambling code generator

1220, 1222, 1224, 1226: de-spreader

BEST MODE FOR CARRYING OUT THE INVENTION

The present invention will be better understood with regard to the following description, appended claims, and accompanying figures. In this application, similar reference numbers are used for components similar to the prior art and the modified or added components in comparison with the prior art are described for the present invention in detail.

FIG. 11 and FIG. 12 show schematic diagram for a transmitter and a receiver according to the present invention, respectively. The transmitter in FIG. 11a and the receiver in FIG. 12 are modified from the transmitter and the receiver with the POCQPSK spreading modulation shown in FIG. 9 and FIG. 10. The transmitter according to the invention has 5 orthogonal channels: PiCH, DCCH, FCH, SCH1, and SCH2.

Unlike the previous transmitter as in FIG. 9, the transmitter according to the invention has an additional complex-domain multiplier (145) shown in

the left of FIG. 11a. The complex-domain multiplier

(145) takes the transmitting data ($D_{xch}[\frac{n}{SF_{xch}}]$,

$D_{sch}[\frac{n}{SF_{sch}}]$) of SCH1 and SCH2 of statistically high

transmitting power as the first inputs and takes the

orthogonal OVSF codes ($H_{sch1}[n]$, $H_{sch2}[n]$) as the

second inputs. And the first orthogonal complex-

domain spreading occurs at the complex-domain
multiplier (145). Other gain-controlled signals for

PICH, DCCH and FCH spread at the spreaders (1120,

1122, 1128) with orthogonal OVSF codes ($H_{pich}[n]$,

$H_{dcch}[n]$, $H_{fch}[n]$), and are delivered to the adders

(130, 132) with the outputs ($s_i[n]$, $s_o[n]$) of the

complex-domain multiplier (145). The outputs ($x_r[n]$,

$y_r[n]$) of the adder (130, 132) are given in EQUATION

15 31.

[EQUATION 31]

$$\begin{aligned}
 & x_r(n) \\
 &= G_p H_{rcm}(n) D_{rcm} \left[\left| \frac{n}{SF_{rcm}} \right| \right] + G_p H_{scrm}(n) D_{scrm} \left[\left| \frac{n}{SF_{scrm}} \right| \right] \\
 &\quad + \frac{1}{\sqrt{2}} G_S H_{scrm}(n) D_{scrm} \left[\left| \frac{n}{SF_{scrm}} \right| \right] - \frac{1}{\sqrt{2}} G_S H_{scrm}(n) D_{scrm} \left[\left| \frac{n}{SF_{scrm}} \right| \right] \\
 &\approx \frac{1}{\sqrt{2}} G_S H_{scrm}(n) D_{scrm} \left[\left| \frac{n}{SF_{scrm}} \right| \right] - \frac{1}{\sqrt{2}} G_S H_{scrm}(n) D_{scrm} \left[\left| \frac{n}{SF_{scrm}} \right| \right] \\
 & y_r(n) \\
 &\approx G_p H_{rcm}(n) D_{rcm} \left[\left| \frac{n}{SF_{rcm}} \right| \right] \\
 &\quad + \frac{1}{\sqrt{2}} G_S H_{scrm}(n) D_{scrm} \left[\left| \frac{n}{SF_{scrm}} \right| \right] + \frac{1}{\sqrt{2}} G_S H_{scrm}(n) D_{scrm} \left[\left| \frac{n}{SF_{scrm}} \right| \right] \\
 &\approx \frac{1}{\sqrt{2}} G_S H_{scrm}(n) D_{scrm} \left[\left| \frac{n}{SF_{scrm}} \right| \right] + \frac{1}{\sqrt{2}} G_S H_{scrm}(n) D_{scrm} \left[\left| \frac{n}{SF_{scrm}} \right| \right]
 \end{aligned}$$

The spreading modulation takes place at the Spreading Modulator (141), with the first inputs ($x_r(n)$, $y_r(n)$) and the second inputs (the primary scrambling codes; $C_1(n)$ and $C_2(n)$), and the outputs ($I_r(n)$, $O_r(n)$) are generated. The spreading modulator (141) comprises the scrambling code generator (530) and the complex-domain multiplier (143). The scrambling code generator (530) according to the present invention shown in FIG. 11b generates the secondary scrambling codes ($C_{scramb1}$, $x[n]$, $C_{scramb2}$, $y[n]$) with the primary scrambling codes ($C_1(n)$, $C_2(n)$) as the inputs to improve the PAR characteristic. The complex-domain multiplier (143) takes the $x_r(n)$, $y_r(n)$ as inputs and the secondary

scrambling codes ($C_{\text{scramble}, i[n]}$, $C_{\text{scramble}, o[n]}$) as another inputs. The primary scrambling codes ($C_i[n]$, $C_o[n]$) in the cdma2000 system are generated by the primary scrambling code generator (550) using three PN sequences ($\text{PN}_i[n]$, $\text{PN}_o[n]$, $\text{PN}_{long}[n]$) as shown in FIG. 5a with the following equations:

[EQUATION 32]

$$C_i[n] = \text{PN}_i[n] \text{PN}_{long}[n]$$

$$C_o[n] = \text{PN}_o[n] \text{PN}_{long}[n-1]$$

The secondary scrambling codes ($C_{\text{scramble}, i[n]}$, $C_{\text{scramble}, o[n]}$) shown in FIG. 11b are given by the following equations.

(1) For $n \equiv 0 \pmod{\min(\text{SF}_{\text{PICH}}, \text{SF}_{\text{PCCS}}, \text{SF}_{\text{SCCH}}, \text{SF}_{\text{SCS}}, \text{SF}_{\text{PSCH}})}$

[EQUATION 33]

$$C_{\text{scramble}, i[n]} = C_i[n]$$

$$C_{\text{scramble}, o[n]} = C_o[n]$$

$$\arg \left(\frac{I_2[n] + jQ_2[n]}{I_2[n-1] + jQ_2[n-1]} \right) \in \left[0, +\frac{\pi}{2} \right] \cup \left[-\frac{\pi}{2}, \pi \right]$$

35

(2) For $n \not\equiv 0 \pmod{\min(\text{SF}_{\text{PICH}}, \text{SF}_{\text{PCCS}}, \text{SF}_{\text{SCCH}}, \text{SF}_{\text{SCS}}, \text{SF}_{\text{PSCH}})}$

[EQUATION 34]

$$\begin{aligned}
 & C_{\text{symm},k}(n) + jC_{\text{asym},k}(n) \\
 &= jC_2(n)(-C_{\text{symm},k}(n-1)H_{\text{SCM}}(n-1)H_{\text{SCM}}(n) \\
 &\quad + jC_{\text{asym},k}(n-1)H_{\text{SCM}}(n-1)H_{\text{SCM}}(n)) \\
 C_{\text{symm},k}(n) &= -C_2(n)C_{\text{asym},k}(n-1)H_{\text{SCM}}(n-1)H_{\text{SCM}}(n) \\
 C_{\text{asym},k}(n) &= C_2(n)C_{\text{symm},k}(n-1)H_{\text{SCM}}(n-1)H_{\text{SCM}}(n)
 \end{aligned}$$

The spreading modulation according to the present invention is called the DCQPSK (Double Complex QPSK) spreading modulation. For $|I_T(n)| = |Q_T(n)| = 1$ based on the normalization, the possible transitions of the signal constellation point occurring in the DCQPSK spreading modulation are shown in EQUATION 35 and EQUATION 36. The probabilities for $(0, +\pi/2, -\pi/2, \pi)$ transitions are $1/4$, $1/4$, $1/4$, and $1/4$ for $n \equiv 0 \pmod{SF_{\text{min}}}$, and 0 , $1/2$, $1/2$, and 0 when $n \not\equiv 0 \pmod{SF_{\text{min}}}$ for each transition, respectively. Here, $SF_{\text{min}} = \min(SF_{\text{rich}}, SF_{\text{peak}}, SF_{\text{CSB}}, SF_{\text{scsi}}, SF_{\text{rcs}})$.

(1) for $n \equiv 0 \pmod{SF_{\text{min}}}$

[EQUATION 35]

$$\begin{aligned}
& \frac{I_T[n] + jQ_T[n]}{I_T[n-1] + jQ_T[n-1]} \\
&= \frac{\left(D_{scm} \left[\left| \frac{n}{SF_{min}} \right| \right] + jD_{scm} \left[\left| \frac{n}{SF_{min}} \right| \right] \right)}{\left(D_{scm} \left[\left| \frac{n-1}{SF_{min}} \right| \right] + jD_{scm} \left[\left| \frac{n-1}{SF_{min}} \right| \right] \right)} \cdot \frac{H_{sig}[n] + jH_{scm}[n]}{H_{scm}[n-1] + jH_{scm}[n-1]} \\
&\quad \cdot \frac{C_d[n] + jC_d[n]}{C_{scm}[n-1] + jC_{scm}[n-1]} \\
&\quad \arg \left(\frac{I_T[n] + jQ_T[n]}{I_T[n-1] + jQ_T[n-1]} \right) \approx \left\{ 0, +\frac{\pi}{2}, -\frac{\pi}{2}, \pi \right\}
\end{aligned}$$

(2) For $n \not\equiv \mod SF_{min}$

[EQUATION 36]

$$\begin{aligned}
& \frac{I_T[n] + jQ_T[n]}{I_T[n-1] + jQ_T[n-1]} \\
&= jC_d[n-1] H_{scm}[n] H_{sig}[n] H_{scm}[n-1] H_{scm}[n-1] \frac{NUM[n-1]}{DEM[n-1]} \\
&= jC_d[n-1] H_d[n] H_d[n-1] \frac{NUM[n-1]}{DEM[n-1]} \\
& NUM[n-1] = (C_d[n-2] H_{scm}[n-2] - C_d[n-2] H_d[n-2]) \\
&\quad + jH_d[n](C_d[n-2] H_{scm}[n-2] + C_d[n-2] H_d[n-2]) \\
&= \begin{cases} (C_d[n-2] H_{scm}[n-2] - C_d[n-2] H_d[n-2]) \\ jH_d[n](C_d[n-2] H_{scm}[n-2] + C_d[n-2] H_d[n-2]) \end{cases} \\
& DEM[n-1] = (C_d[n-2] H_{scm}[n-2] - C_d[n-2] H_d[n-2]) \\
&\quad + jH_d[n-1](C_d[n-2] H_{scm}[n-2] + C_d[n-2] H_d[n-2]) \\
&= \begin{cases} (C_d[n-2] H_{scm}[n-2] - C_d[n-2] H_d[n-2]) \\ jH_d[n-1](C_d[n-2] H_{scm}[n-2] + C_d[n-2] H_d[n-2]) \end{cases} \\
& \arg \left(\frac{I_T[n] + jQ_T[n]}{I_T[n-1] + jQ_T[n-1]} \right) = C_d[n-1] H_d[n] H_d[n-1] \frac{\pi}{2} + \arg \left(\frac{H_d[n]}{H_d[n-1]} \right) \\
&\quad = \pm \frac{\pi}{2} + \arg \left(\frac{H_d[n]}{H_d[n-1]} \right) \\
&\quad \approx \left\{ +\frac{\pi}{2}, -\frac{\pi}{2} \right\}
\end{aligned}$$

5. Where $H_x(n) = H_{scm}(n) H_{sig}(n)$, with the bit-wise XOR

(exclusive OR) operation in EQUATION 6, $(a')_2 = (SCH1)_2 \oplus (SCH2)_2$.

In the OCQPSK or POCQPSK spreading modulation, as mentioned earlier, the orthogonal Walsh codes with even number subscripts are used except for the inevitable cases such as the case with the high transmitting data rate for a certain channel of spreading factor (SF) of 2. However, the DCQPSK spreading modulation supports the variable spreading factor keeping the orthogonal channel property with any orthogonal codes as shown in the previous equations. Thus the orthogonal code is represented by "H" instead of "W" representing the orthogonal Walsh code. The spreading factor (SF) or size of the orthogonal code need not be the power of 2.

The outputs ($I_r(n)$, $Q_r(n)$) of the Spreading Modulator (141) pass through the low-pass filters (160, 162) and the amplifiers (170, 172). Then the amplified outputs are delivered to the modulators (180, 182) which modulate the signals into the desired frequency band using a carrier. And the modulated signals are added by the adder (190), and

delivered to an antenna.

FIG. 12 shows a schematic diagram for a receiver according to the transmitter of FIG. 11a. The received signals through the antenna are demodulated at the demodulators (280, 282) with the same carrier used at the transmitter, and $I_R[n]$ and $Q_R[n]$ are generated after the signals pass through the low-pass filters (260, 262). Then, the spreading demodulator (241) produces the signals ($x_R[n]$, $y_R[n]$) with the primary scrambling codes ($C_1[n]$, $C_2[n]$). The spreading demodulator (241) comprises the scrambling code generator (530) and the complex-domain multiplier (243). The scrambling code generator (520) produces the secondary scrambling codes ($C_{scramble, r}[n]$, $C_{scramble, q}[n]$) with the primary scrambling codes ($C_1[n]$, $C_2[n]$) as the inputs to improve the PAR characteristic. The complex-domain multiplier (243) takes $I_R[n]$ and $Q_R[n]$ as the first inputs and the secondary scrambling codes ($C_{scramble, r}[n]$, $C_{scramble, q}[n]$) as the second inputs. The first and secondary scrambling codes are generated by the same method as in the transmitter.

In order to pick up the desired channels among the outputs ($x_k[n]$, $y_k[n]$) of the spreading demodulator (241), the signals are multiplied by the same orthogonal code $B_{xxCH}[n]$ (where, $xxCH = DCCH$ or FCH), used in the transmitter, at the de-spreaders (1224, 1226) or the signal are multiplied in complex-domain at the complex-domain multiplier (245) in FIG. 12 with the same orthogonal code $B_{xxCH}[n]$ (where, $xxCH = SCH1$ or $SCH2$) used in the transmitter. Now, the signals are integrated during the symbol period T_{zx} or T_{zy} . Since the signals at the receiver are distorted, PICH is used to correct the distorted signal phase. Accordingly, the signals ($x_k[n]$, $y_k[n]$) are multiplied by the corresponding orthogonal code $B_{xkCH}[n]$, and are integrated during the period of T_i at the integrators (210, 212).

The reverse link PICH in the cdma2000 system may include additional information such as a control command to control the transmitting power at the receiver, besides the pilot signals for the phase correction. In this case, the additional information is extracted by the de-multiplexer, and the phase is

estimated using the part of the pilot signals having the known phase. The phase corrections are performed at the complex-domain multipliers (242), (246) using the estimated phase information through the integrators (210), (212).

The DCQPSK spreading modulation according to the present invention yields the following effects: first, the PAR characteristic is improved because the probability of the origin crossing transition (0-transition) becomes zero only except for the time when the spread transmitting data vary. Second, the flexibility for the channel allocation becomes better because the DCQPSK can use all orthogonal codes while the OCQPSK or POCQPSK should use the orthogonal Walsh codes with even number subscripts.

While the foregoing invention has been described in terms of the embodiments discussed above, numerous variations are also possible. Accordingly, modifications and changes such as those suggested above, but not limited thereto, are considered to be within the scope of the following claims.

WHAT IS CLAIMED IS:

1. A transmitting method in CDMA (Code Division Multiple Access) systems with a transmitting apparatus and receiving apparatus, comprising the steps of:
 - (a) generating a pilot signal and transmitting data signals for several channels with different information;
 - (b) spreading the signal using a orthogonal code for each channel;
 - (c) adding the spread signals;
 - (d) scrambling the added signals using PN (Pseudo-Noise) sequences;
 - (e) modulating the scrambled signals with carrier; and
 - (f) transmitting a composite signal created by adding the modulated signals.

2. A transmitting method as defined in claim 1, wherein the spreading step and the scrambling step perform an orthogonal complex-domain spreading and a complex-domain scrambling, respectively, in order to improve the PAR (Peak-to-Average power Ratio) characteristic of the transmitter.

3. A transmitting method as defined in claim 2,
wherein the second complex-domain scrambling codes
($C_{\text{scramble}, i[n]}$, $C_{\text{scramble}, q[n]}$) in the scrambling step
are given by the following equations in terms of the
primary scrambling codes ($C_1[n]$, $C_2[n]$):

(a) when the spreading data vary,

[EQUATION 37]

$$C_{\text{scramble}, i[n]} + j C_{\text{scramble}, q[n]} = C_1[n] + C_2[n];$$

and

10 (b) when the spreading data do not vary,

[EQUATION 38]

$$C_{\text{scramble}, i[n]} + j C_{\text{scramble}, q[n]} = -C_2[n] C_{\text{scramble}, q[n-1]} H_b(n-1) H_s(n) + j C_2[n] C_{\text{scramble}, i[n-1]} H_a(n-1) H_s(n).$$

4. A transmitting method as defined in claim 2
15 or 3, wherein the orthogonal complex-domain
spreading is performed with orthogonal Hadamard
codes and the scrambling codes for the complex-
domain scrambling are produced using orthogonal
Hadamard codes.

20 5. A transmitting method as defined in claim 2,
wherein the orthogonal complex-domain spreading is
performed with orthogonal Walsh codes and the

scrambling codes for the complex-domain scrambling are generated using orthogonal Hadamard codes.

6. A transmitting method as defined in claim 2, wherein the orthogonal complex-domain spreading is performed with orthogonal Gold codes and the scrambling codes for the complex-domain scrambling are generated using orthogonal Hadamard codes.

7. A receiving method in CDMA (Code Division Multiple Access) systems with a transmitting apparatus and receiving apparatus, comprising the steps of:

(a) demodulating the transmitted signal using the same carrier used in the transmitter; (b) de-scrambling the demodulated signal using the synchronized identical PN (Pseudo-Noise) sequences of the transmitter; (c) de-spreading the de-scrambled signal using the synchronized identical orthogonal codes of the transmitter for each channel; and (d) recovering the transmitted data from the de-spread signals.

8. A receiving method as defined in claim 7, wherein the de-scrambling step and the de-spreading

step perform a complex-domain de-scrambling and an orthogonal complex-domain de-spreading;

9. A receiving method as defined in claim 8, wherein the complex-domain de-scrambling codes and the orthogonal complex-domain de-spreading codes are the same as those used in the complex-domain scrambling and the orthogonal complex-domain spreading of the transmitter.

10. A transmitting apparatus in CDMA (Code Division Multiple Access) system with the transmitting apparatus and receiving apparatus, comprising:

(a) means for generating a pilot signal and transmitting data signals for several channels with different information; (b) means for controlling the signal-gains of the channels; (c) means for spreading the gain-controlled signal for each channel; (d) a first complex-domain multiplying means for performing the first orthogonal complex-domain spreading with the inputs of the transmitting data of the supplementary channels and of the OVSF (Orthogonal Variable Spreading Factor) codes; (e)

means for adding the output of the first complex-domain multiplying means and the spread signal; (f) a spreading modulator, comprising a complex-domain multiplier and a scrambling code generator, for modulating the added signal; (g) means for amplifying the low-pass filtered signal power; (h) means for modulating the amplified signal to the desired frequency band; and (i) means for adding the modulated signals.

10 if, A receiving apparatus in CDMA (Code Division Multiple Access) systems with a transmitting apparatus and receiving apparatus, comprising:

(a) means for demodulating the transmitted signal from an antenna using the same carrier used in the transmitter; (b) a spreading de-modulator, comprising a scrambling code generator and complex-domain multiplying means, for de-scrambling the low-pass filtered demodulated signal; (c) means for de-spreading the de-scrambled signal to get the desired channel by integrating for the symbol period proportional to the data rate of the corresponding

channel; and (d) second complex-domain multiplying means for correcting the phase of the de-spread signal.

12. A receiving apparatus as defined in claim 11, wherein the carrier used in the demodulating means of (e) in claim 11 are the same waves used in the transmitter.

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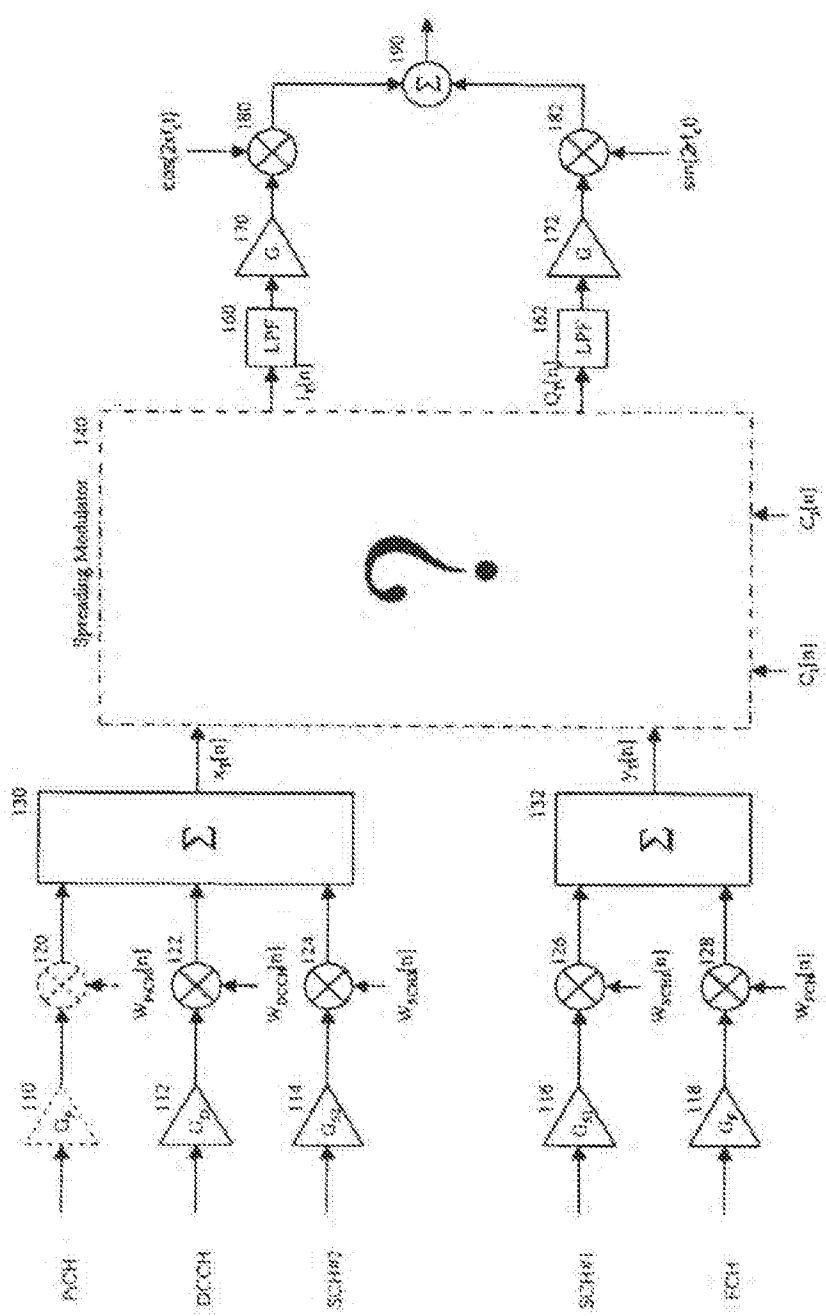


FIG. 1

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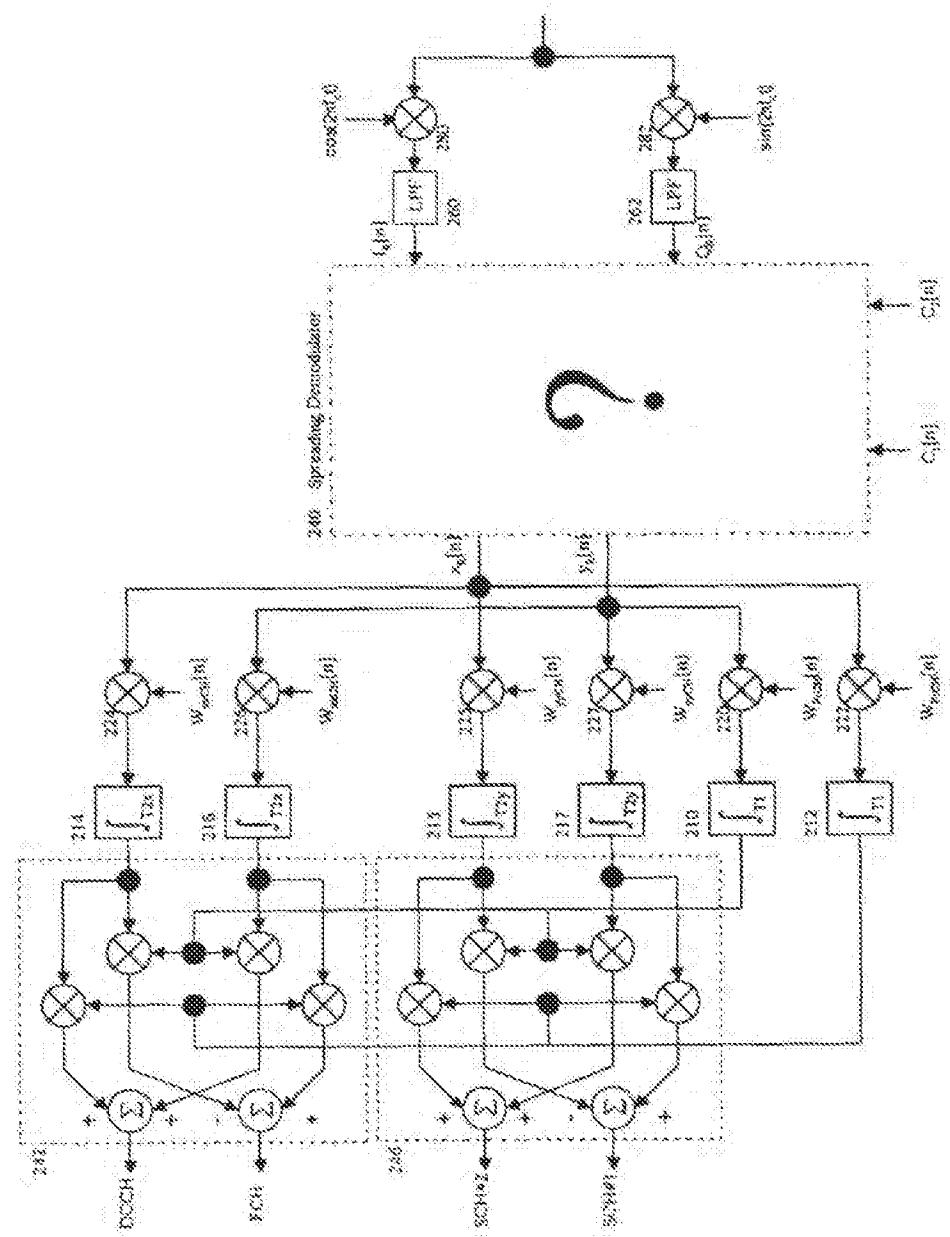


FIG. 2

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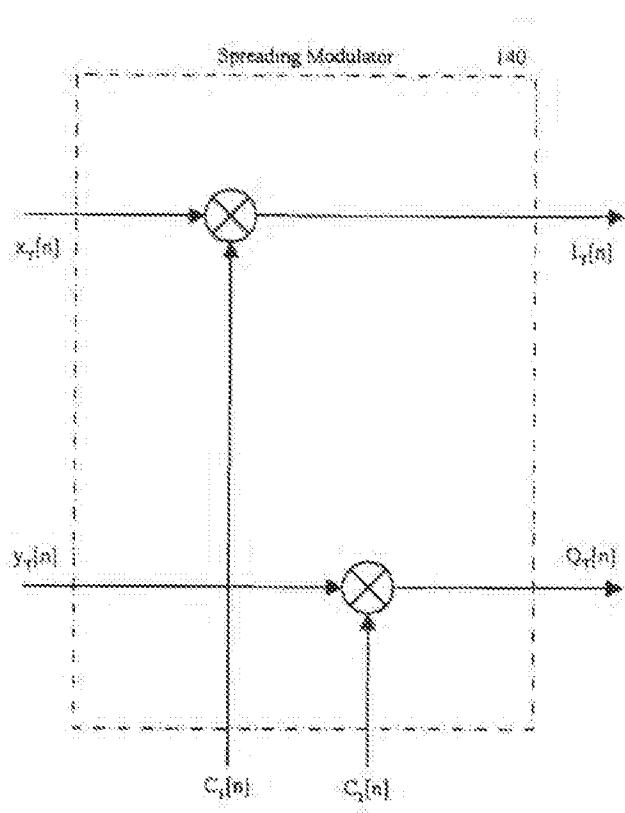


FIG. 3a

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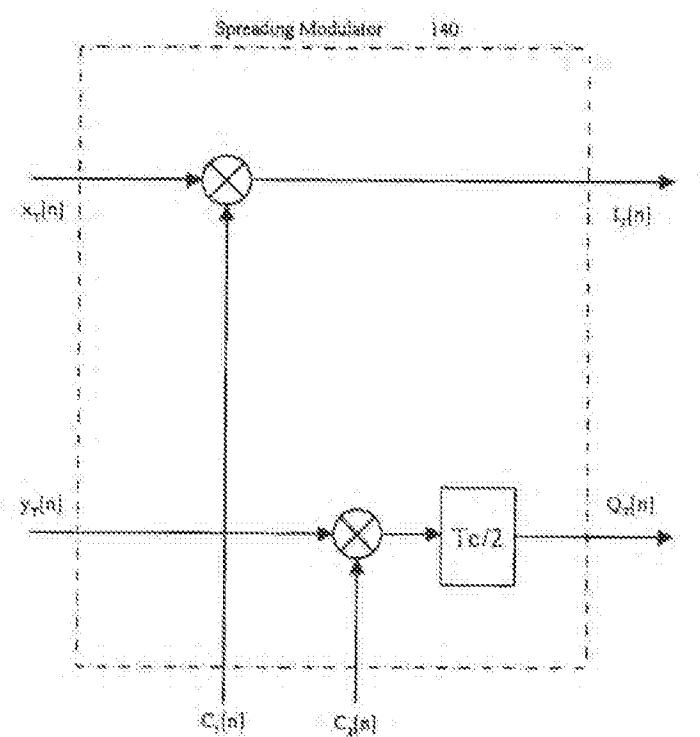


FIG. 3b

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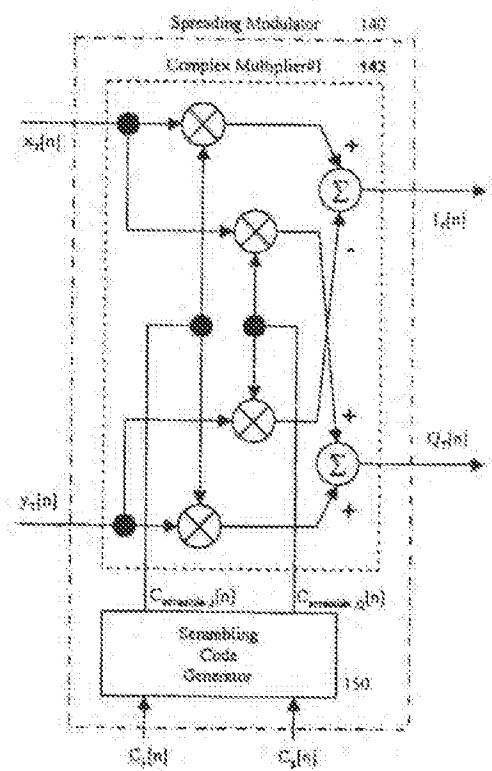


FIG. 3c

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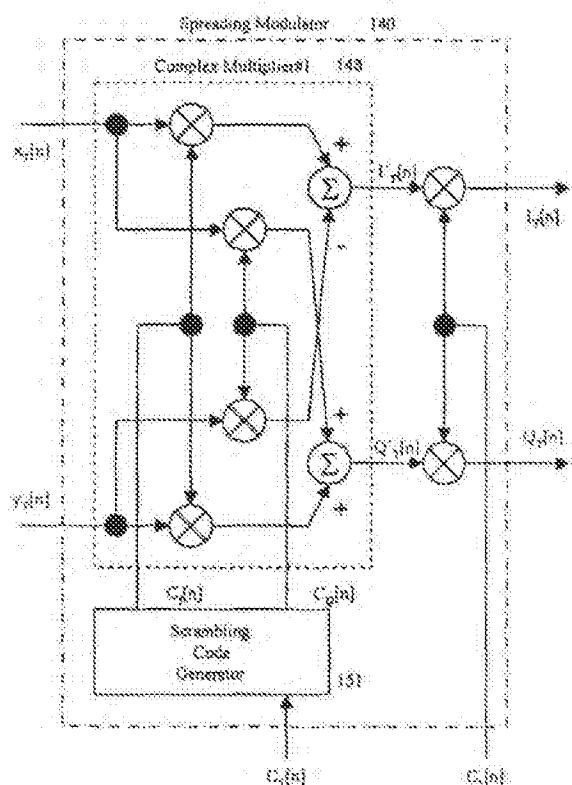


FIG. 3d

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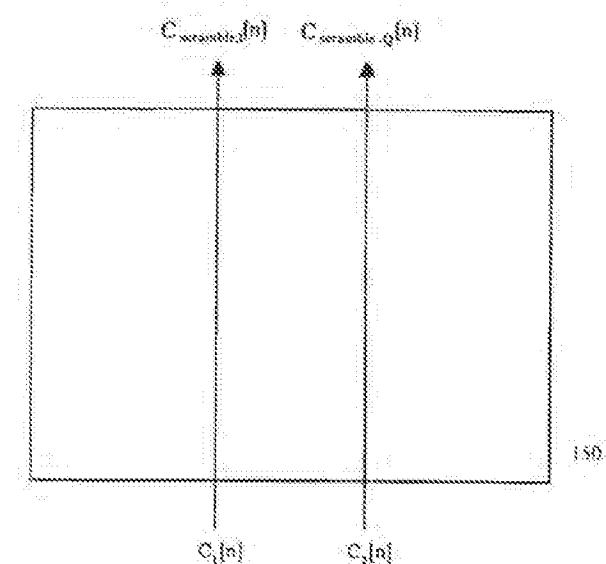


FIG. 4a

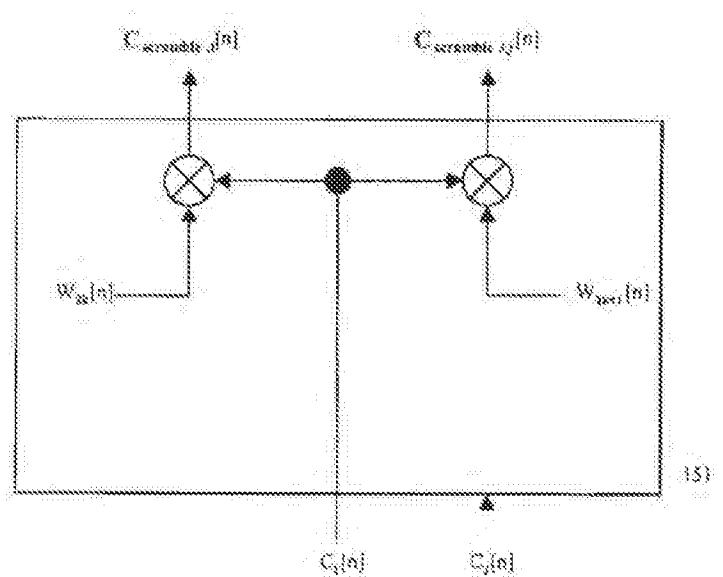


FIG. 4b

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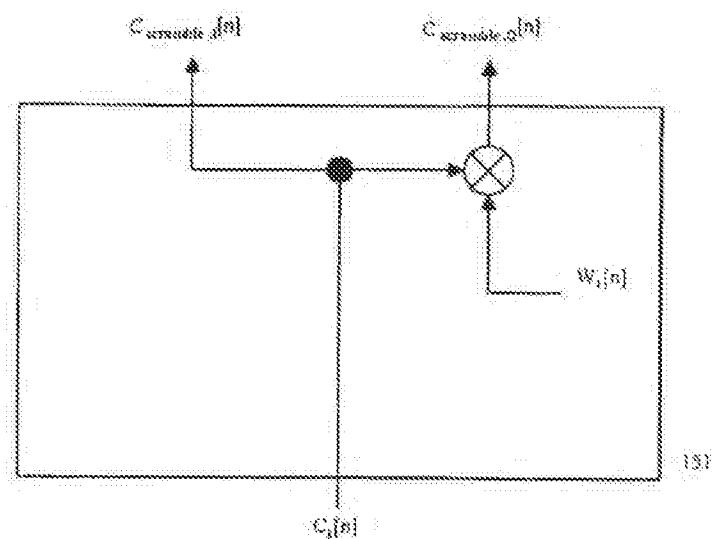


FIG. 4c

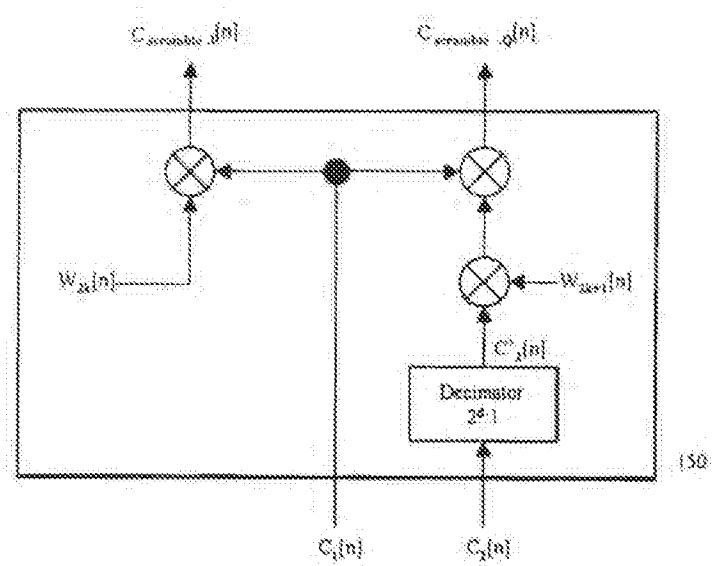


FIG. 4d

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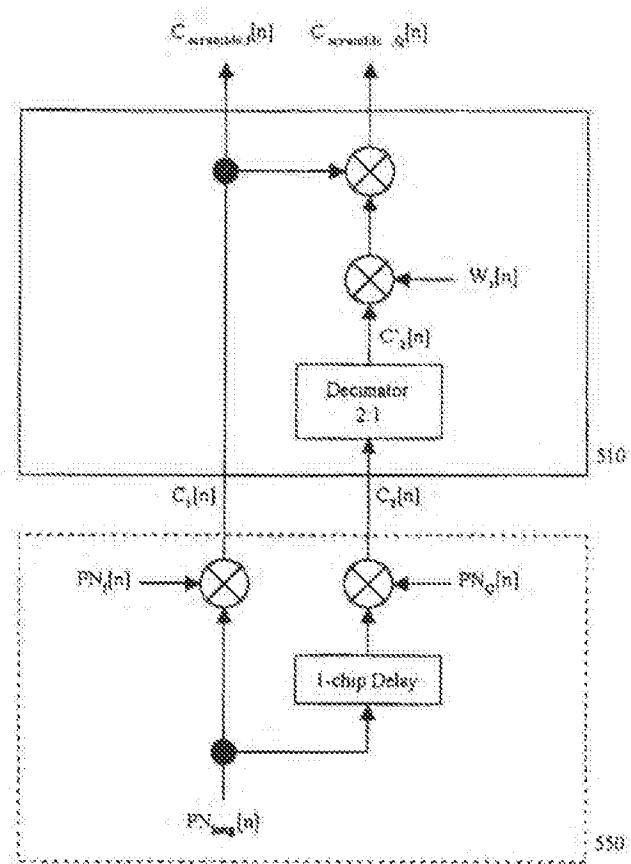


FIG. 5a

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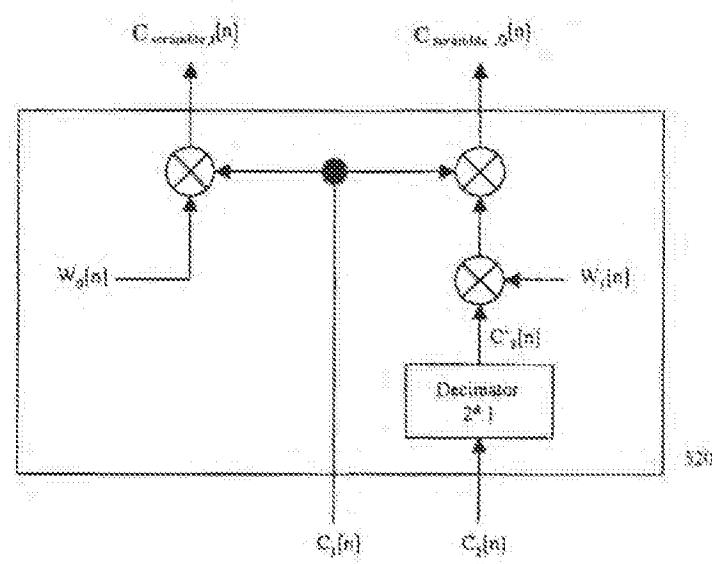


FIG. 5b

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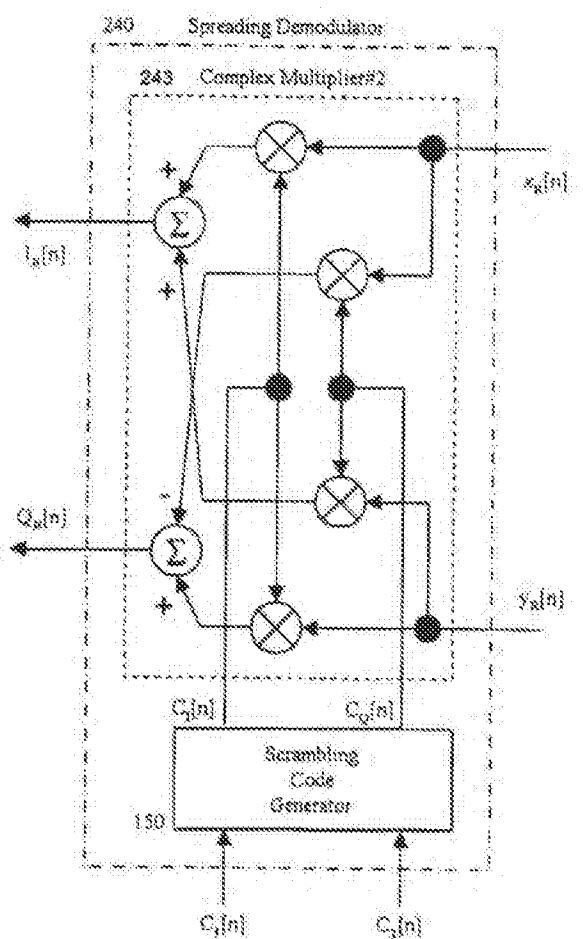


FIG. 6a

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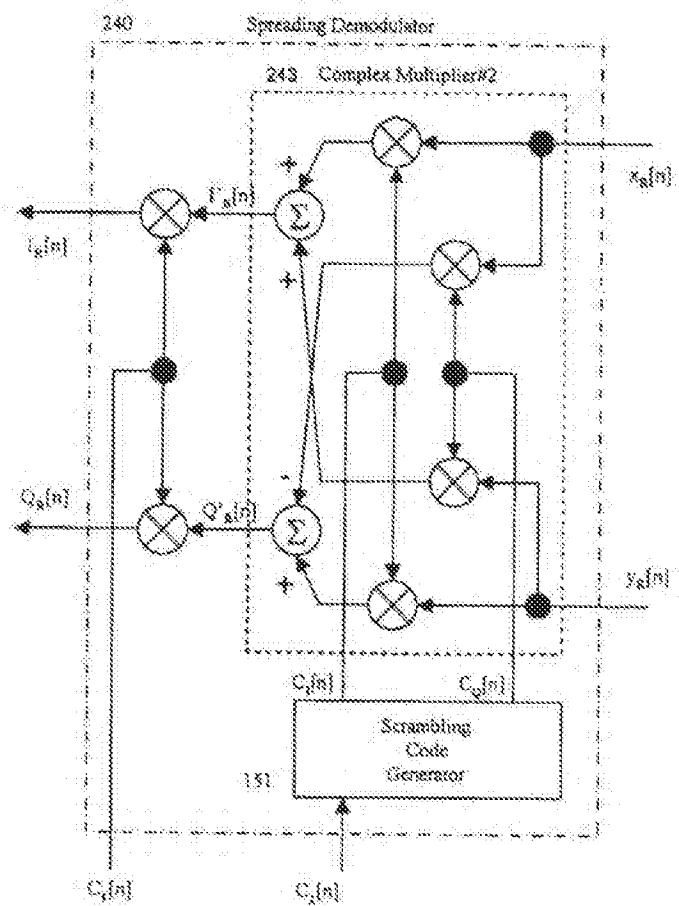


FIG. 6b

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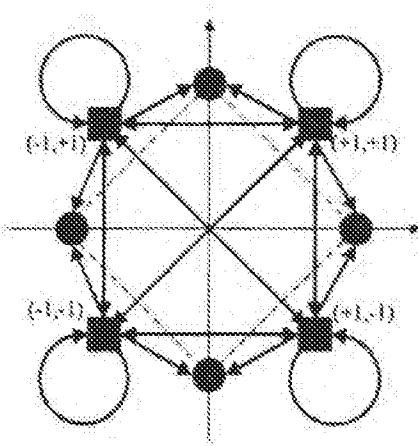


FIG. 7a

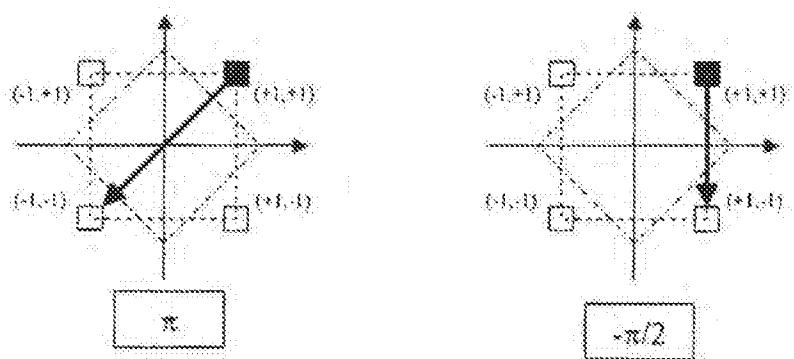
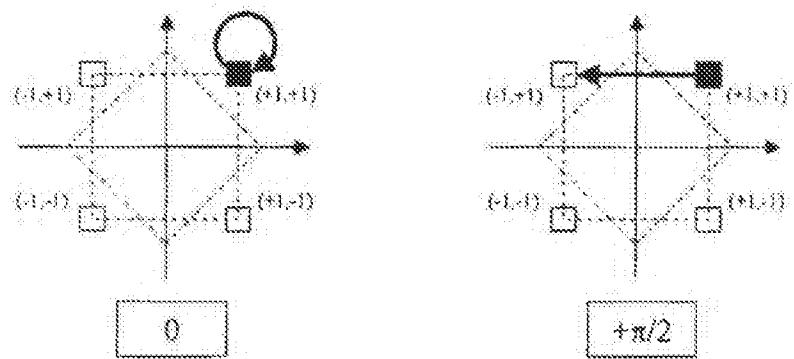


FIG. 7b

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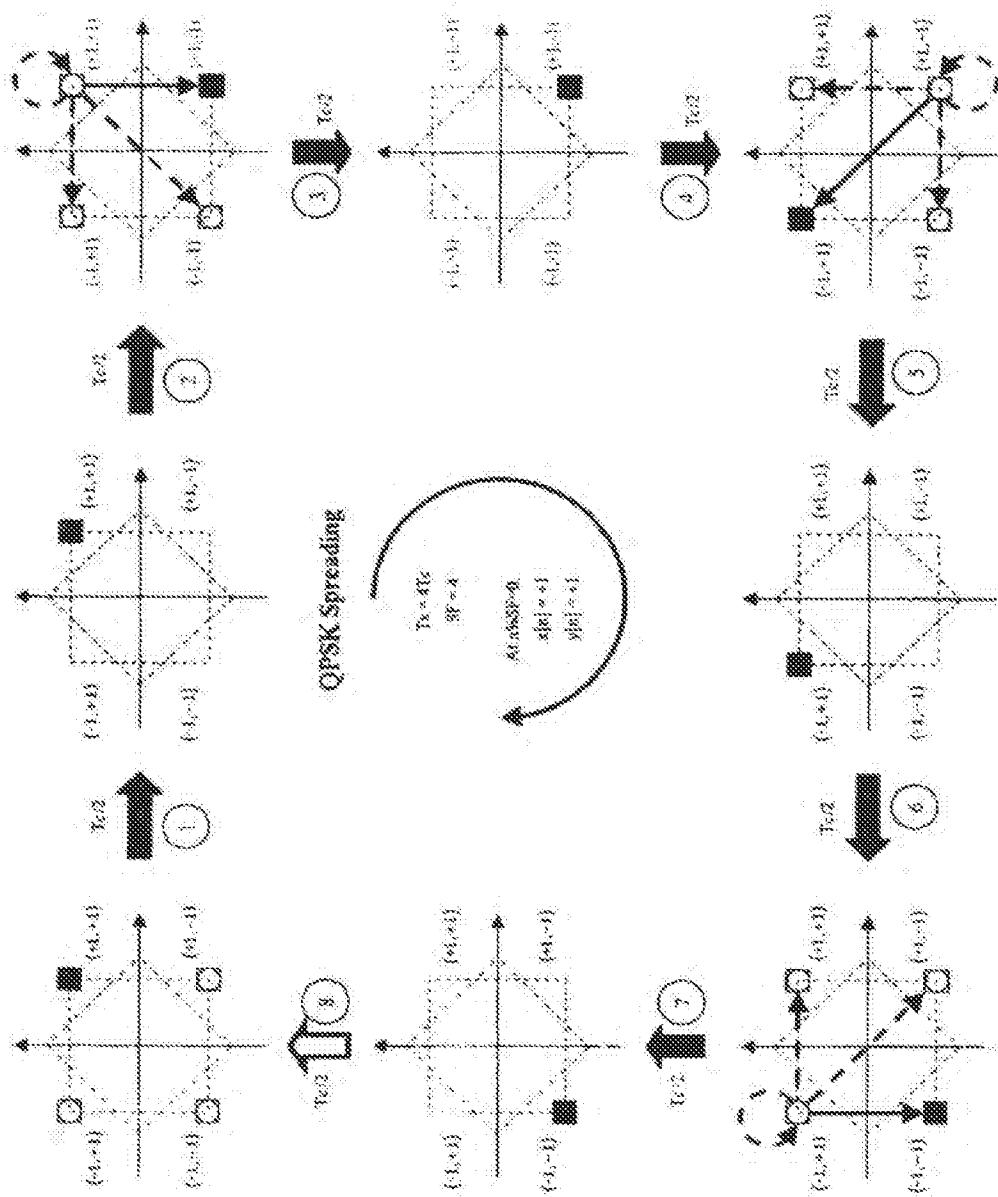


FIG. 8a

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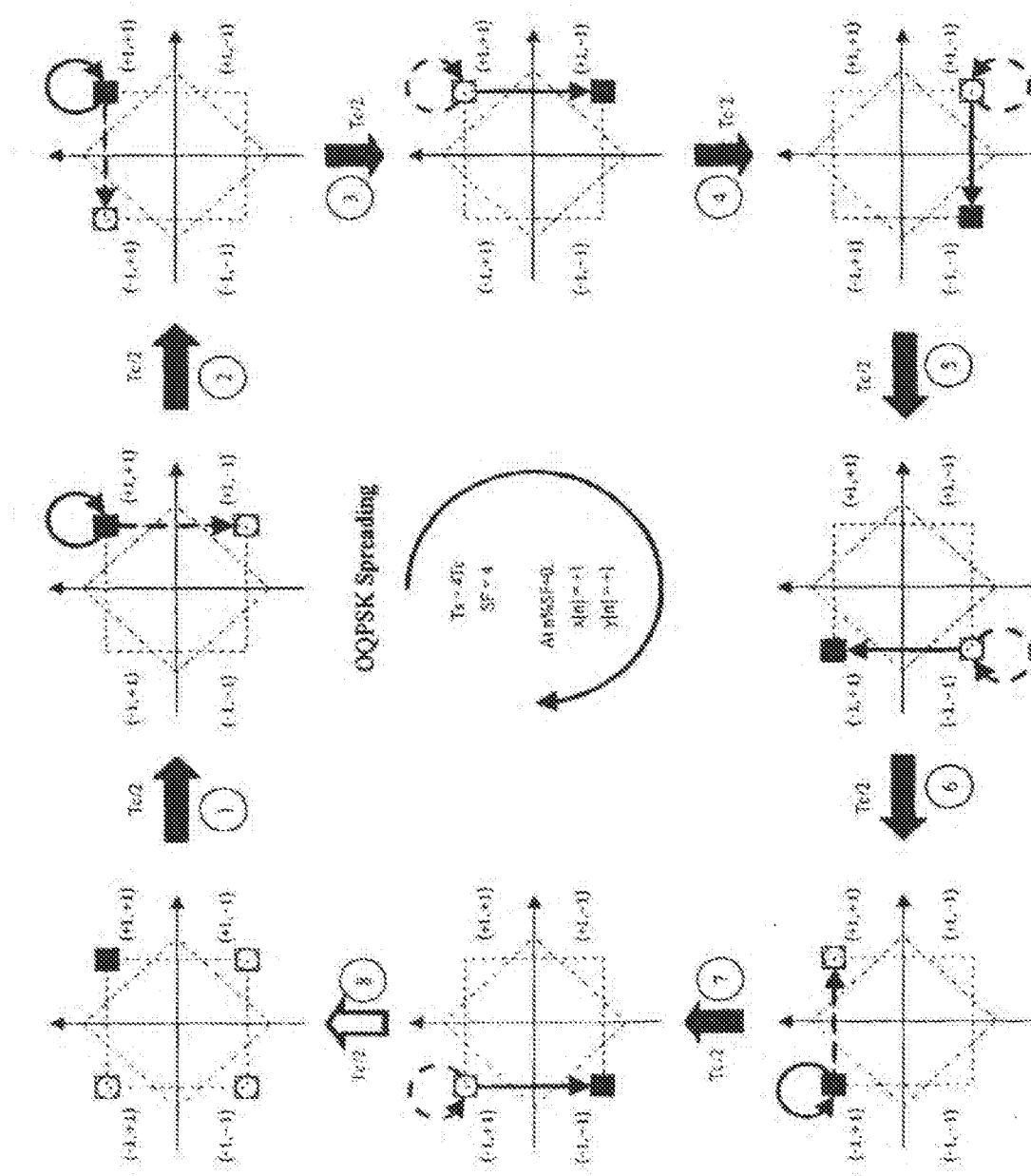


FIG. 8b

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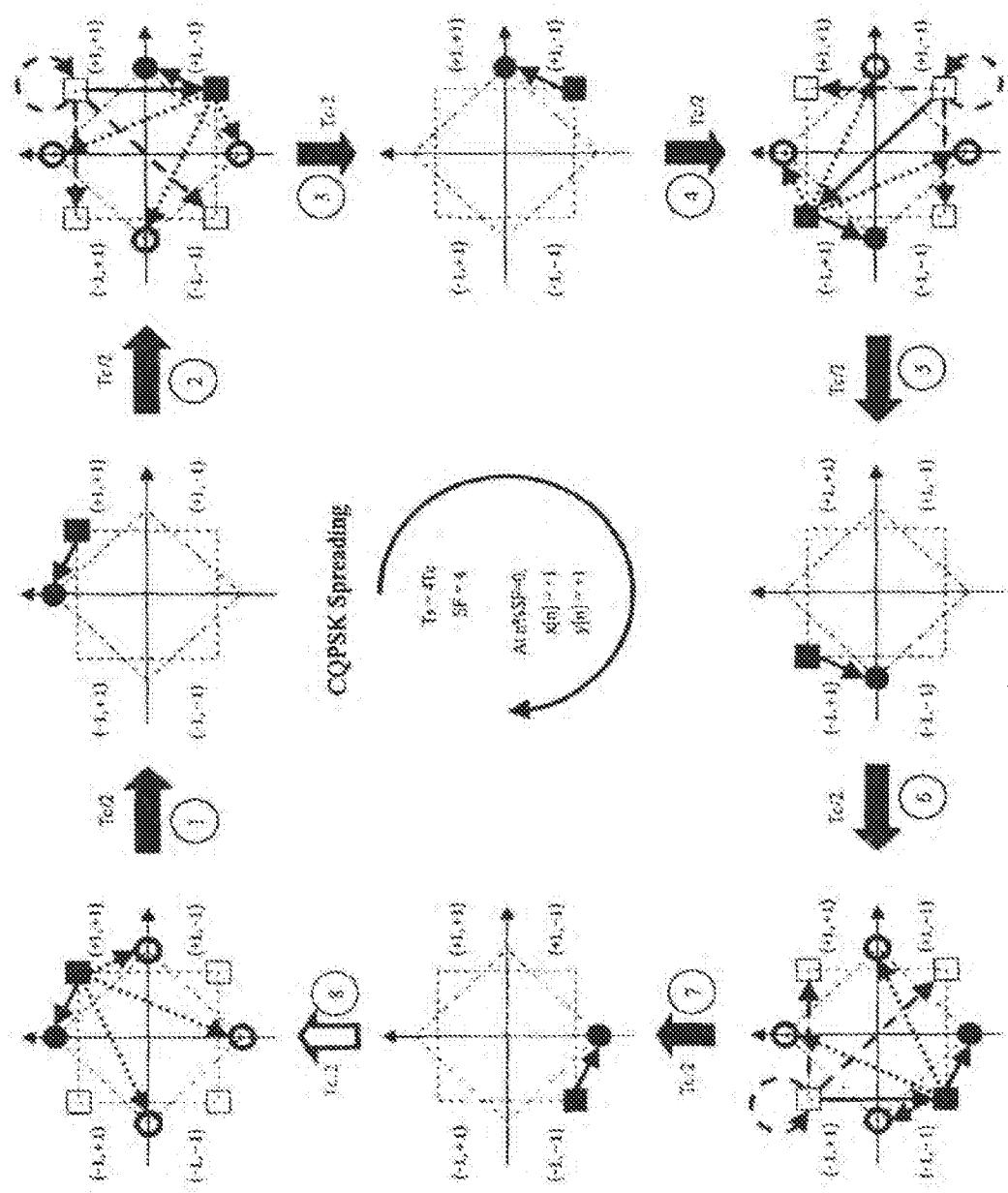


FIG. 8c

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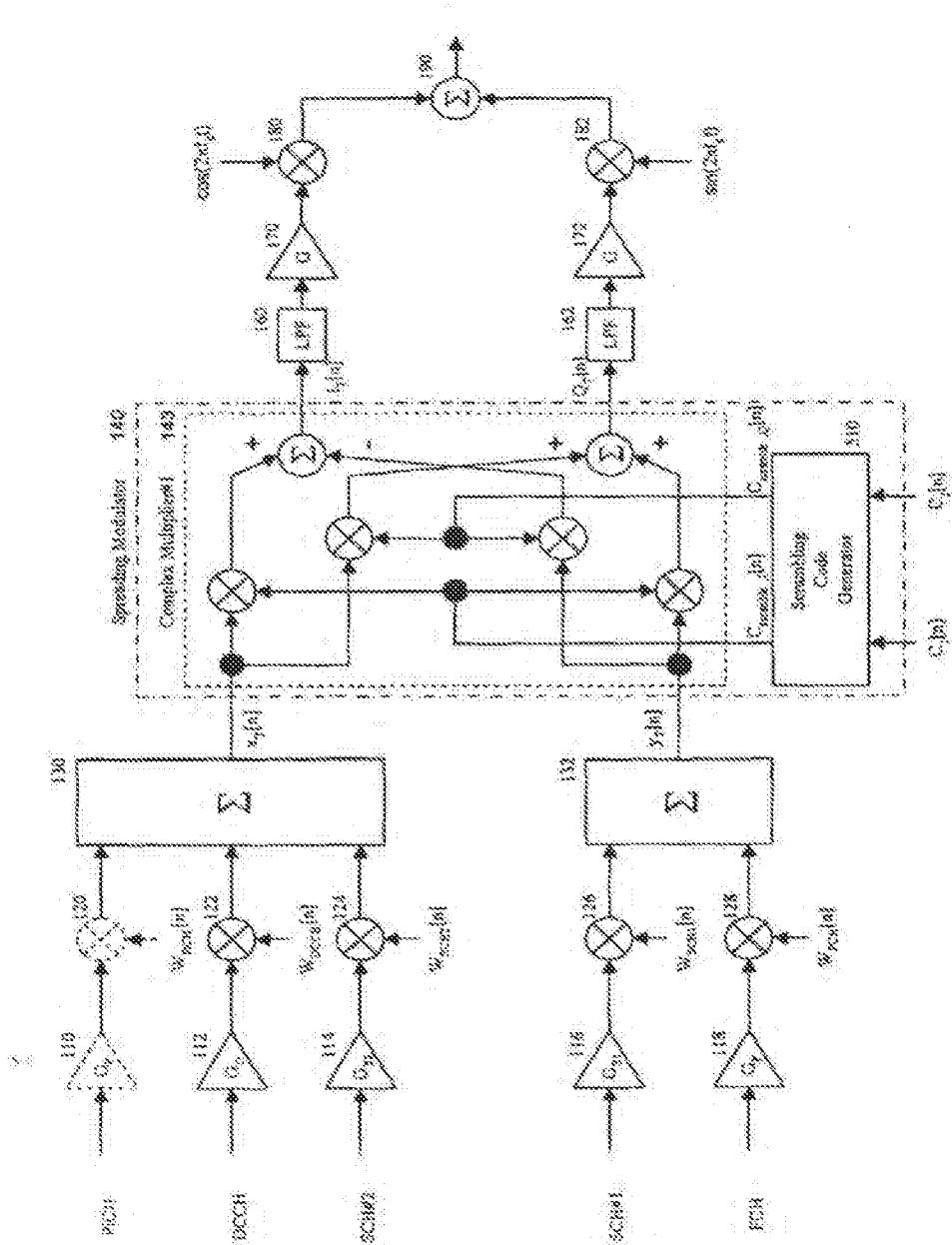


FIG. 9

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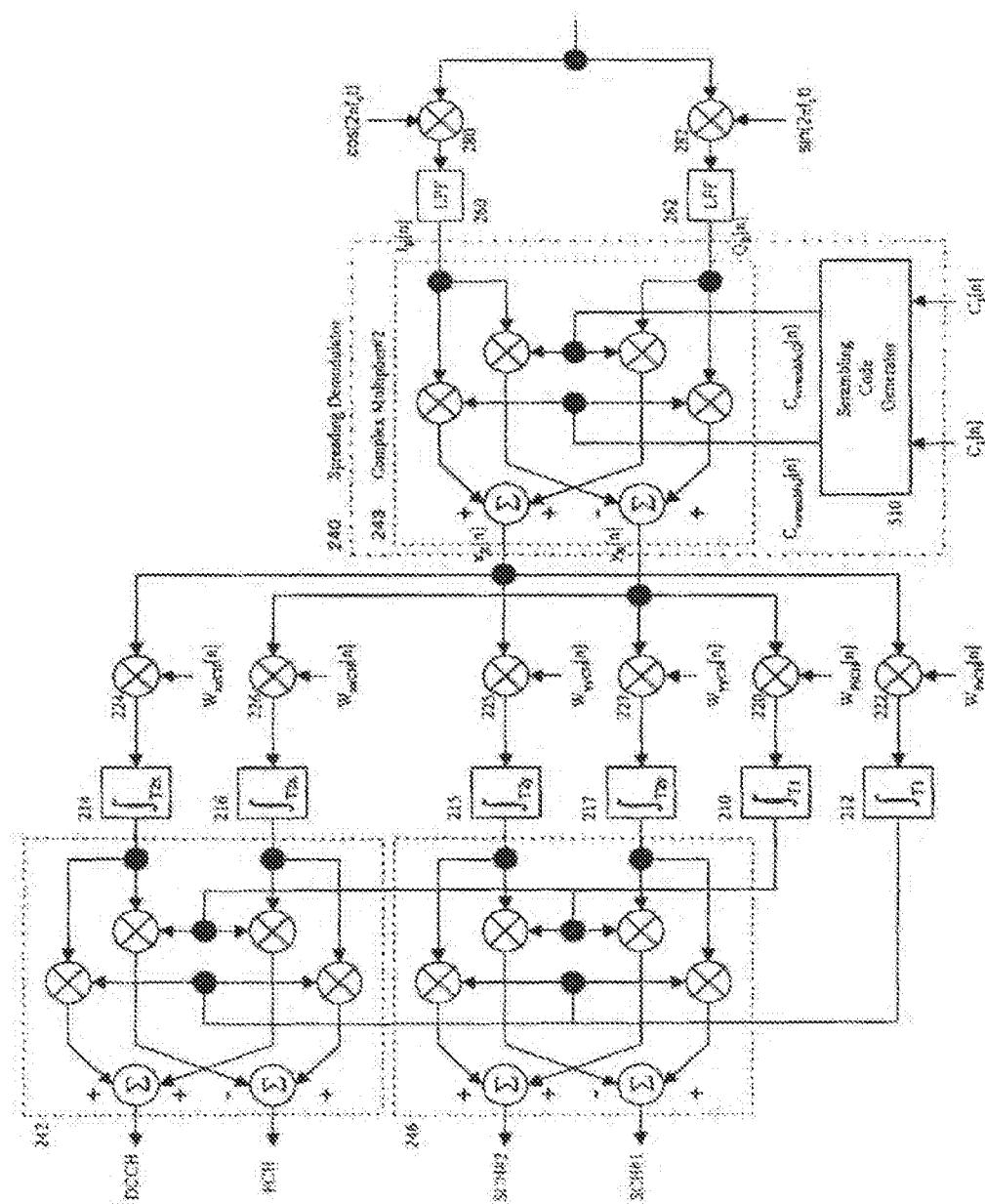


FIG. 10

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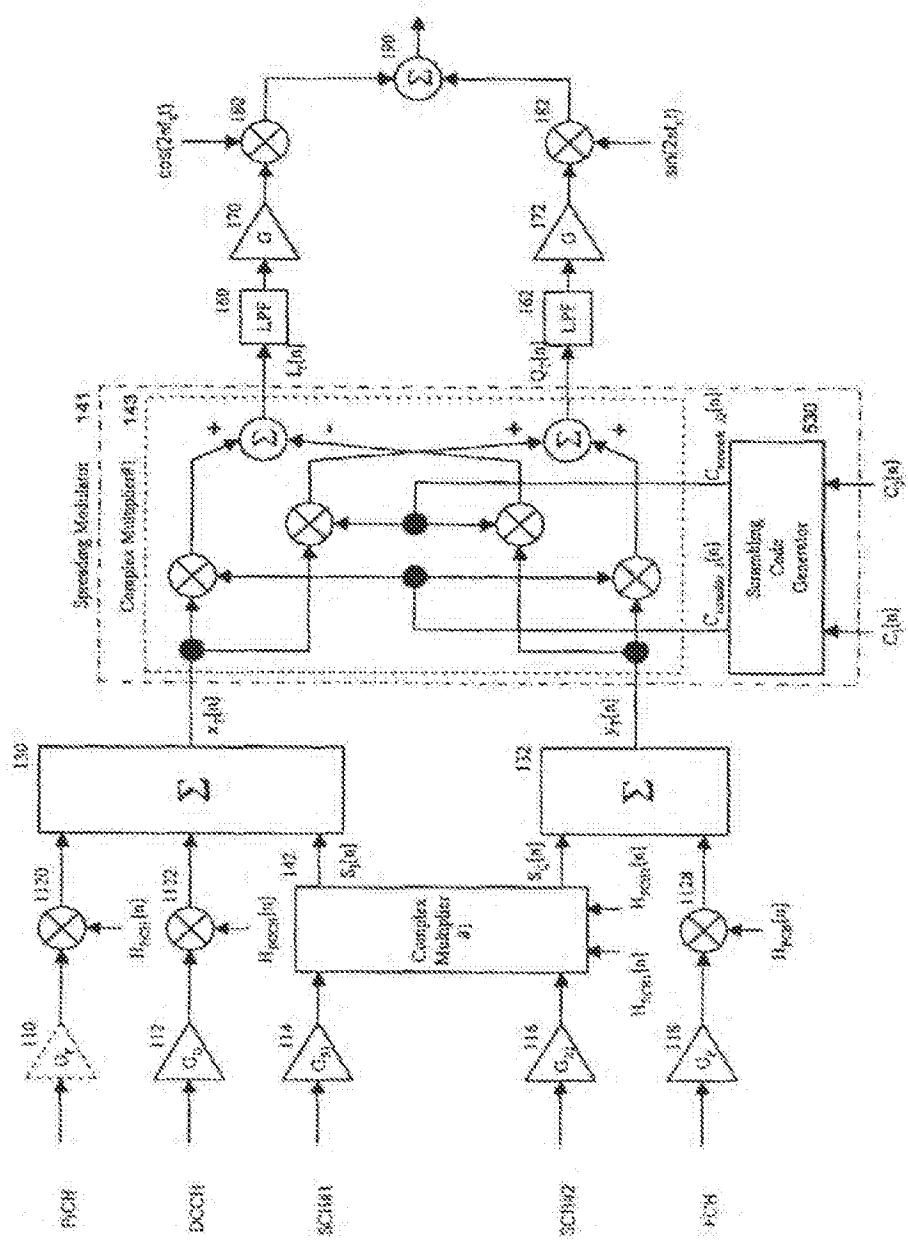


FIG. 11a

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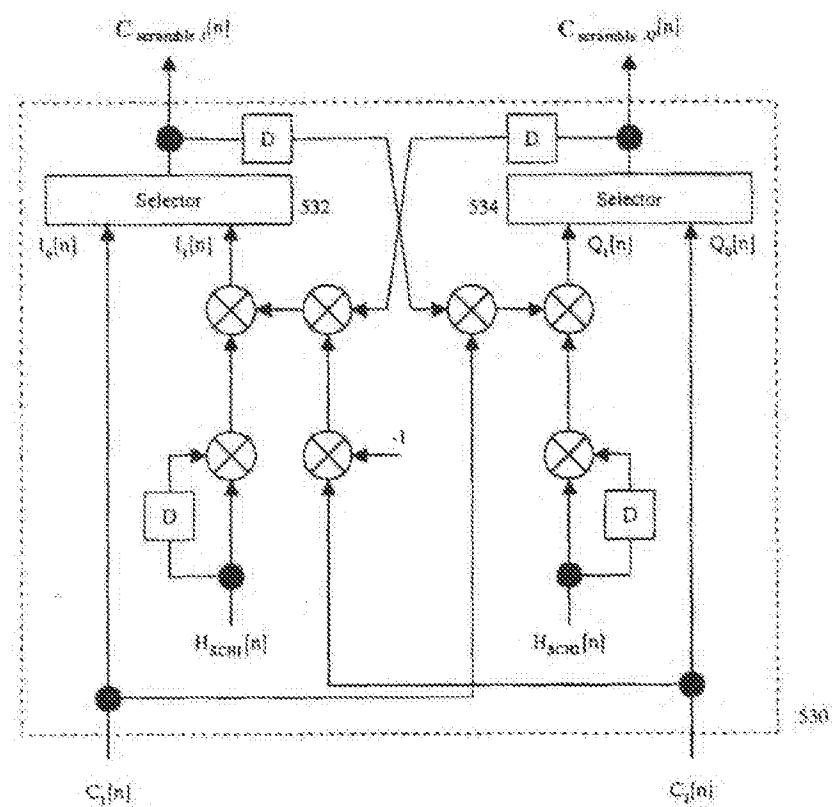


FIG. 11b

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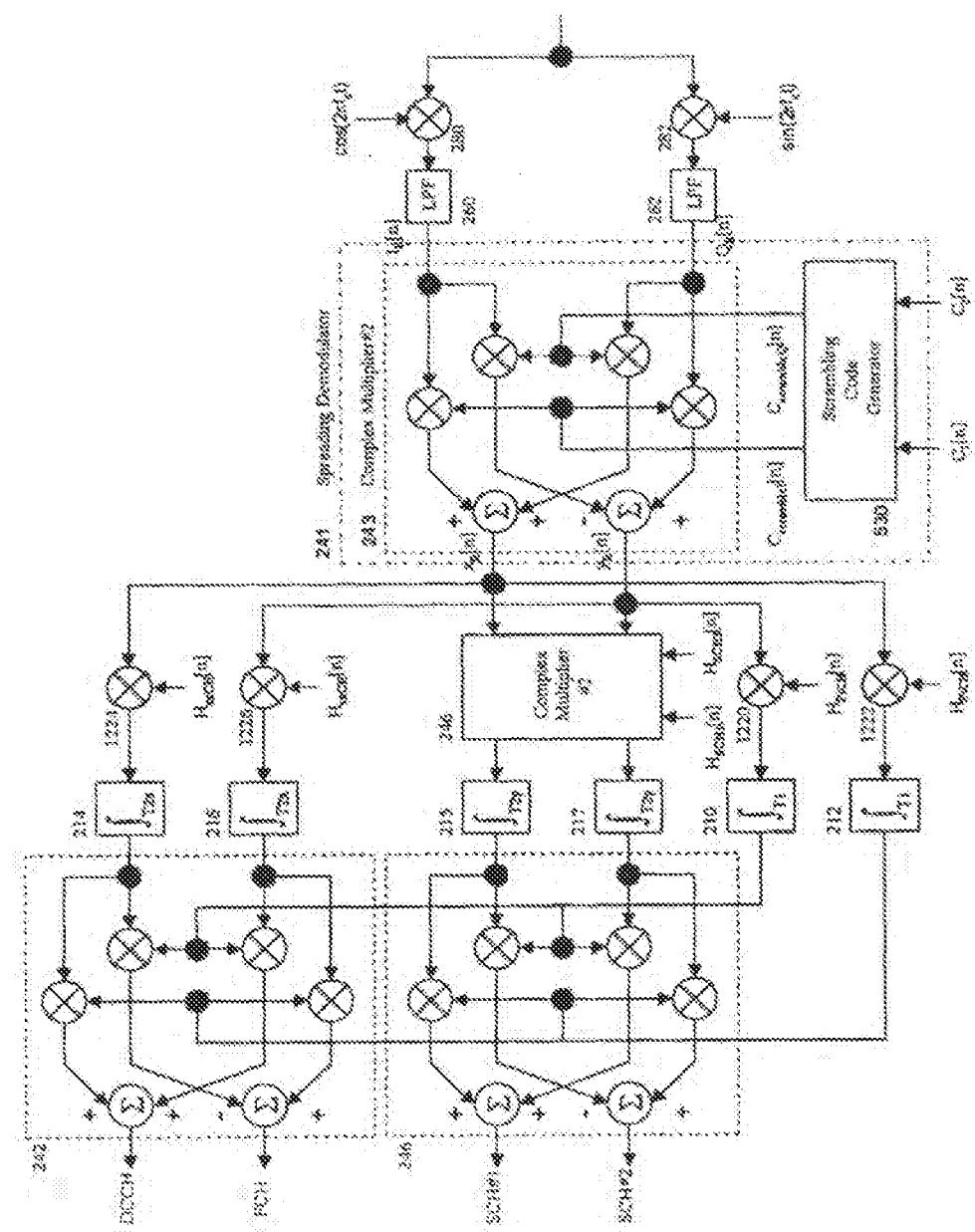


FIG. 12